

Bilag 2. Stokastiske relationer

I dette bilag præsenteres de stokastiske relationer i ADAM, marts 1995. Disse er, i modsætning til modellens øvrige relationer, *estimerede*. Relationerne er opskrevet på estimationsform og ikke på simulationsform, som tilfældet er i selve modelligningerne, jf. bilag 1. Estimationsformen af en ligning er – groft sagt – udskriften fra den økonometriske programpakke, som er benyttet til at estimere den givne relation. Denne inkluderer koefficientestimer og spredninger på disse samt en række teststørrelser med information om ligningens statistiske egenskaber. Programpakkerne anvendt ved estimationerne til ADAM er AREMOS og TSP.

Til estimationerne er anvendt ADAMs databank, hvori tidsserierne er på årsniveau; ved brug af denne databank er det muligt at reproducere samtlige estimationer i dette bilag.¹ Dette er muligt, fordi alle estimationer er foretaget på såkaldt endelige tal, dvs. tal, som ikke bliver underkastet revisioner. Da 1990 var det sidste endelige år i nationalregnskabet forstand, da den beskrevne modelversion blev opstillet, er slutåret i de fleste estimationer netop dette år. Estimationernes begyndelsesår er generelt forskellige og som hovedregel afhængige af tilgængeligheden af relevante tidsserier.

Rækkefølgen af de ialt 133 ligninger følger i hovedtræk den, der er anvendt i gennemgangen i tekstbindet. For hver ligning er der angivet estimationsperiode og estimationsmetode. Hvis der er pålagt a priori restriktioner på ligningen, er disses form anført. Under koefficientestimerne er spredningerne angivet i parentes. Den anvendte notation er :

RSS = residualkvadratsum

s = residualspreddning

\bar{y} = gennemsnit af den endogene variabel

\bar{e} = residualgennemsnit

R^2 = kvadrat af korrelationskoefficienten mellem de observerede og beregnede værdier af den endogene variabel. Beregnet som:

$$R^2 = \left(\frac{(y - \bar{y})'(\hat{y} - \bar{\hat{y}})}{\sqrt{(y - \bar{y})'(y - \bar{y})} \cdot \sqrt{(\hat{y} - \bar{\hat{y}})'(\hat{y} - \bar{\hat{y}})}} \right)^2$$

idet y angiver den endogene variabel, og \hat{y} angiver den beregnede værdier af den betragtede variabel. Det bemærkes, at den således beregnede R^2 i tilfælde uden konstantled vil afvige fra den R^2 , der beregnes i de fleste økonometriske programpakker.

¹ADAMs databank indeholder tidsserier på årsniveau dækkende primært nationalregnskabsstørrelser, hvoraf en del går tilbage til 1947. Databanken kan købes ved henvendelse til Danmarks Statistik, modelgruppen. Relationerne i den finansielle delmodel er estimeret på kvartalsvise tidsserier og kan ikke reproducere på baggrund af ADAMs databank.

\bar{R}^2	=	R^2 korrigeret for frihedsgrader
F a,b	=	F-test for nulhypotesen, at alle parametre undtagen konstantleddet (ialt a parametre) er nul. b er antal observationer fratrukket a+1.
DW	=	Durbin-Watson-test. Bruges som test for 1.ordens autokorrelation, samt som test for kointegration i Granger-Engle procedurens 1.trin.
H	=	Durbins H-test for 1.ordens autokorrelation. Bruges, når ligningen indeholder den laggede endogene variabel som forklarende variabel. Teststørrelsen er normalfordelt med middelværdi 0 og varians 1.
LM ₁	=	Lagrange-multiplikator-testet for 1.ordens autokorrelation. ² Teststørrelsen er χ^2 -fordelt med én frihedgrad.
DF	=	Dickey-Fuller stationaritetstest. Bruges som test for kointegration i 1. trin af Granger-Engle proceduren.
EC _t	=	Fejlkorrigeringsled. Er lig residualerne fra kointegrationsrelationen.

Anden nomenklatur:

x_{-j}	=	værdi af tidsserien x lagget j perioder
$D(x)$	=	$x - x_{-1}$
$D\log(x)$	=	$\log(x) - \log(x_{-1})$
•	=	Tallet mangler af naturlige årsager

For en yderligere uddybning af ovenstående teststørrelser henvises der til standard økonometrilæreboøger.³

²Se L.G. Godfrey: Testing against general autoregressive and moving average error models when the regressors include lagged dependent variables. *Econometrica*, 46, 1978, (s.1293-1301).

³Se fx A.C. Harvey: *The Econometric Analysis of Time Series*. 2. udg. Philip Allan, New York, 1990, J. Johnston: *Econometric Methods*. 3. udg. McGraw-Hill, London, 1984 eller W. H. Greene: *Econometric Analysis*. 2. udg. MacMillan, New York, 1993.

Cp4 : Privat forbrug i alt**a. Kointegrationsrelation**

OLS-estimation med restriktion: Koefficienterne til 1. og 2. led summer til 1

34 observationer fra 1957 til 1990

$\log(Cp4/pcp4v)$

$$= 0.8876 \cdot \log(Yd9/pcp4v) + 0.1124 \cdot \log(Wcp5_{-1}/pcp4v)$$

(0.0163) (0.0163)

$$- 0.2074$$

(0.0210)

RSS	0.0153	\underline{s}	0.0219	\bar{y}	12.0900
R ²	0.9928	R ²	0.9926	F	1, 32 4416.24
DW	0.9277	DF ₁	-2.90		

b. Fejlkorrektionsrelation

OLS-estimation

33 observationer fra 1958 til 1990

$D\log(Cp4/pcp4v)$

$$= 0.5035 \cdot D\log(Yd9/pcp4v)$$

(0.0876)

$$+ 0.3507 \cdot D\log(Wcp5_{-1}/pcp4v) - 0.2937 \cdot EC_{-1}$$

(0.0765) (0.1335)

$$- 0.0024$$

(0.0044)

RSS	0.0062	\underline{s}	0.0146	\bar{y}	0.0256
R ²	0.7477	R ²	0.7215	F	3, 29 28.6404
DW	1.7497	LM ₁	0.10		

fCh : Privat forbrug af boligbenyttelse

Ikke-lineær LS-estimation

42 observationer fra 1949 til 1990

$D(fCh)$

$$= 0.5 \cdot (fIhnl + fIhnl_{-1}) \cdot (\alpha + \beta_0 / (1 + \exp(\beta_1 \cdot (tid - \beta_2))))$$

Parameter	Estimat	Spredning
-----------	---------	-----------

α	0.0353	0.00366
β ₀	0.0312	0.00422
β ₁	0.5409	0.23624
β ₂	-1979.49	0.93261

RSS = 361515 s = 97.5375 \bar{y} = 808.907 R² = 0.9569 DW = 1.4728

fCf : Privat forbrug af fødevarer

Estimationsmetode: Se Kap.4, afsnit 4.3.3

31 observationer fra 1955 til 1985

$$(fCf - .25 \cdot Et / pcf) / U$$

$$= 1.7802 + 0.6181 \cdot (fCf_{-1} - .25 \cdot Et_{-1} / pcf_{-1}) / U_{-1} \\ (0.6069) \quad (0.1305) \\ + 0.0229 \cdot Cp4xh / (U \cdot pcf) - 0.0007 \cdot Cp4xh_{-1} / (U_{-1} \cdot pcf_{-1}) \\ (0.0082) \quad (0.0109)$$

RSS	0.3108	$\frac{s}{R^2}$	0.1073	\bar{y}	6.2504
R ²	0.90	R ²	0.89	DW	2.23

fCn : Privat forbrug af nydelsesmidler

Estimationsmetode: Se Kap.4, afsnit 4.3.3

Restriktion: Koefficienten til 6.led er lig minus produktet af koefficienterne til 2. og 5.led

31 observationer fra 1955 til 1985

$$(fCn - .14 \cdot Et / pcn) / U$$

$$= 0.0487 + 0.9800 \cdot (fCn_{-1} - .14 \cdot Et_{-1} / pcn_{-1}) / U_{-1} \\ (0.0442) \quad (0.0606) \\ + 0.0208 \cdot Cp4xh / (U \cdot pcn) - 0.0183 \cdot Cp4xh_{-1} / (U_{-1} \cdot pcn_{-1}) \\ (0.0040) \quad (0.0051) \\ - 0.2991 \cdot (pcn / (pcnt \cdot ewdm / 310.525)) \cdot kpcn \\ (0.0856) \\ + (-0.9800 \cdot (-0.2991)) \cdot (pcn_{-1} / (pcnt_{-1} \cdot ewdm_{-1} / 310.525)) \cdot kpcn_{-1}$$

RSS	0.0582	$\frac{s}{R^2}$	0.0473	\bar{y}	2.5231
R ²	0.99	R ²	0.99	DW	1.92

fCi : Privat forbrug af øvrige ikke-varige goder

Estimationsmetode: Se Kap.4, afsnit 4.3.3

31 observationer fra 1955 til 1985

$$(fCi - .05 \cdot Et / pci) / U$$

$$= 0.3499 + 0.6116 \cdot (fCi_{-1} - .25 \cdot Et_{-1} / pci_{-1}) / U_{-1} \\ (0.0845) \quad (0.0820) \\ + 0.0620 \cdot Cp4xh / (U \cdot pci) - 0.0128 \cdot Cp4xh_{-1} / (U_{-1} \cdot pci_{-1}) \\ (0.0053) \quad (0.0104)$$

RSS	0.1314	$\frac{s}{R^2}$	0.0698	\bar{y}	4.123
R ²	0.99	R ²	0.99	DW	1.56

fCe : Privat forbrug af brændsel mv.

Estimationsmetode: Se Kap.4, afsnit 4.3.3

Restriktion: Koefficienten til 5.led er lig minus produktet af koefficienterne til 1. og 4.led

31 observationer fra 1955 til 1985

 fCe/U

$$= 0.8814 \cdot (fCe_{-1})/U_{-1} + 0.0130 \cdot Cp4xh/(U \cdot pce)$$

(0.0286) (0.0025)

$$- 0.0059 \cdot Cp4xh_{-1}/(U_{-1} \cdot pce_{-1}) + 0.0038 \cdot fros$$

(0.0030) (0.0009)

$$+ (-0.0038 \cdot 0.8814) \cdot fros_{-1}$$

RSS	0.2674	$\frac{s}{R^2}$	0.0995	\bar{Y}	2.6817
R ²	0.98		0.98	DW	2.00

fCgbk : Privat forbrug af transport

Estimationsmetode: Se Kap.4, afsnit 4.3.3

31 observationer fra 1955 til 1985

$$(fCgbk - .13 \cdot Et/pcgbk)/U =$$

$$- 0.2373 + 0.7243 \cdot (fCgbk_{-1} - .25 \cdot Et_{-1}/pcgbk_{-1})/U_{-1}$$

(0.0801) (0.0420)

$$+ 0.0479 \cdot Cp4xh/(U \cdot pcgbk) - 0.0022 \cdot Cp4xh_{-1}/(U_{-1} \cdot pcgbk_{-1})$$

(0.0054) (0.0074)

RSS	0.2234	$\frac{s}{R^2}$	0.0910	\bar{Y}	3.707
R ²	0.99		0.99	DW	1.31

fCv : Privat forbrug af øvrige varige varer

Estimationsmetode: Se Kap.4, afsnit 4.3.3

Restriktion: Koefficienten til 5.led er lig produktet af koefficienterne til 3. og 4.led divideret med koefficienten til 2.led

31 observationer fra 1955 til 1985

$$(fCv - .05 \cdot Et/pcv)/U$$

$$= 0.9080 \cdot (fCv_{-1} - .05 \cdot Et_{-1}/pcv_{-1})/U_{-1} + 0.0562 \cdot Cp4xh/(U \cdot pcv)$$

(0.0606) (0.0063)

$$- 0.0371 \cdot Cp4xh_{-1}/(U_{-1} \cdot pcv_{-1}) - 5.9032 \cdot (.75 \cdot iku + .25 \cdot iku_{-1})$$

(0.0071) (2.4356)

$$+ ((-0.0371 \cdot (-5.9032))/0.0562) \cdot (.75 \cdot iku_{-1} + .25 \cdot iku_{-2})$$

RSS	0.2951	$\frac{s}{R^2}$	0.1045	\bar{Y}	2.986
R ²	0.98		0.98	DW	1.20

fCs : Privat forbrug af øvrige tjenester

Estimationsmetode: Se Kap.4, afsnit 4.3.3

31 observationer fra 1955 til 1985

$$(fCs - .38 \cdot Et / pcs) / U =$$

$$\begin{aligned} & - 0.2254 + 0.9472 \cdot (fCs_{-1} - .25 \cdot Et_{-1} / pcs_{-1}) / U_{-1} \\ & (0.1223) \quad (0.0257) \\ & + 0.0392 \cdot Cp4xh / (U \cdot pcs) - 0.0215 \cdot Cp4xh_{-1} / (U_{-1} \cdot pcs_{-1}) \\ & (0.0044) \quad (0.0053) \\ & + 0.1819 \cdot d82 \\ & (0.0479) \end{aligned}$$

RSS	0.110	$\frac{s}{R^2}$	0.0651	\bar{y}	5.579
R ²	0.99	R ²	0.99	DW	2.51

fCt : Privat forbrug af turistrejser

Estimationsmetode: Se Kap.4, afsnit 4.3.3

Restriktion: Koefficienten til 6.led er lig minus produktet af koefficienterne til 4. og 5.led

31 observationer fra 1955 til 1985

$$fCt / U =$$

$$\begin{aligned} & - 0.2073 + 0.6937 \cdot (fCt_{-1}) / U_{-1} + 0.0176 \cdot Cp4xh / (U \cdot pct) \\ & (0.0606) \quad (0.0063) \quad (0.0040) \\ & - 0.0006 \cdot Cp4xh_{-1} / (U_{-1} \cdot pct_{-1}) + 0.1624 \cdot (pcn / (pcnt \cdot ewdm / 310.525)) \cdot kpcn \\ & (0.0055) \quad (0.0581) \\ & + (-0.6937 \cdot 0.1624) \cdot (pcn_{-1} / (pcnt_{-1} \cdot ewdm_{-1} / 310.525)) \cdot kpcn_{-1} \end{aligned}$$

RSS	0.0973	$\frac{s}{R^2}$	0.0612	\bar{y}	1.028
R ²	0.98	R ²	0.98	DW	2.43

fCg : Privat forbrug af benzin og olie til køretøjer

OLS-estimation

32 observationer fra 1955 til 1986

$$D((fCg - .06 \cdot Et / pcg) / U) =$$

$$\begin{aligned} & - 0.4644 \cdot (pcg / pc4v - (pcg_{-1} / pc4v_{-1})) \\ & (0.1387) \\ & - 0.7481 \cdot (fCg_{-1} - 0.06 \cdot Et_{-1} / pcg_{-1}) / U_{-1} + 7.8597 \cdot Kcb_{-1} / U_{-1} \\ & (0.1367) \quad (1.2912) \\ & - 0.0391 \cdot (tid - 1947) + 0.2152 \\ & (0.0058) \quad (0.0268) \end{aligned}$$

RSS	0.0322	$\frac{s}{R^2}$	0.0345	\bar{y}	0.0336
R ²	0.79	R ²	0.76	F	4, 27 25.13
DW	1.88	LM ₁	0.16		

fCb : Privat forbrug af køretøjer

OLS-estimation

33 observationer fra 1958 til 1990

 $D(fCb)$

$$= 11132 \cdot bfcbl$$

(3722.8)

$$+ 0.0016 \cdot ((860.5/22.6) \cdot (Yd9/pcp4v - (1-bfcbl) \cdot (Yd9_{-1}/pcp4v_{-1}))) + Wcp5_{-1}/pcp4v$$

(0.0004)

$$- (1-bfcbl) \cdot (Wcp5_{-2}/pcp4v_{-1})$$

$$- 50267 \cdot iku \cdot (1-tsuih) - Rcp4ve - (1-bfcbl) \cdot (iku_{-1} \cdot (1-tsuih_{-1}) - Rcp4ve_{-1})$$

(15637)

$$- 11983 \cdot ucb \cdot pcb/pck - (1-bfcbl) \cdot (ucb_{-1} \cdot pcb_{-1}/pck_{-1})$$

(2608.6)

$$- 0.4388 \cdot fCb_{-1}$$

(0.0533)

RSS	3E+07	$\frac{s}{R^2}$	1001.54	\bar{y}	178.246	\bar{e}	6.7330
R ²	0.7770		0.7558				
DW	2.1949	LM ₁	0.3920				

fIpvm : Afskrivninger på private maskiner

OLS-estimation

30 observationer fra 1949 til 1978

$$D(fIpvm) = 0.0885 \cdot (0.25 \cdot (fIpm - fIem) + 0.75 \cdot (fIpm_{-1} - fIem_{-1}))$$

(0.0035)

RSS	501867	s	131.551	\bar{y}	556.245
R ²	0.76	DW	1.20	LM ₁	3.44

fIpb : Private investeringer i bygninger og anlægOLS-estimation med restriktion : Lagstrukturen for $D(fXvb)$ er fastlagt som lineære Almon-lags med endepunkt lig nul

28 observationer fra 1960 til 1987

 $D(fIpb - fIeb) =$

$$- 0.1081 \cdot (fIpb_{-1} - fIeb_{-1})$$

(0.0207)

$$- 0.1159 \cdot D(fXvb \cdot (.2 \cdot uipbl_{-1} + .4 \cdot uipbl_{-2} + .4 \cdot uipbl_{-3}))$$

(0.0292)

$$+ 0.0575 \cdot D(fXvb) + 0.0287 \cdot D(fXvb_{-1})$$

(0.0067) (0.0033)

RSS	1E+07	s	675.35	\bar{y}	384.574	\bar{e}	-22.265
R ²	0.81	DW	1.47	LM ₁	1.44		

fIpvb : Afskrivninger på private bygninger og anlæg

OLS-estimation

30 observationer fra 1949 til 1978

 $D(fIpvb)$

$$= 0.0158 \cdot (0.25 \cdot (fIpn b - fIeb) + 0.75 \cdot (fIpn b_{-1} - fIeb_{-1}))$$

(0.0008)

RSS	41273.1	s	37.65	\bar{y}	134.26	\bar{e}	2.38
R ²	0.30	DW	1.39	LM ₁	0.97		

fIhv : Afskrivninger på boliger

OLS-estimation

30 observationer fra 1949 til 1978

 $D(fIhv)$

$$= 0.0099 \cdot (0.25 \cdot fIhn + 0.75 \cdot fIhn_{-1})$$

(0.0005)

RSS	57723.5	s	44.39	\bar{y}	145.81	\bar{e}	4.39
R ²	0.67	DW	1.45	LM ₁	0.96		

phk : Kontantprisen på enfamiliehuse

OLS-estimation med restriktion: Koefficienten til 2. led er bundet til 1

35 observationer fra 1956 til 1990

 $\log(phk/pcp4xh)$

$$= 0.5235 \cdot \log(phk/pcp4xh)_{-1} + 1.00000 \cdot dtphk$$

(0.0520) (•)

$$- 6.7084 \cdot uihl + 1.6564 \cdot Rlnae$$

(0.9038) (0.3585)

$$+ 0.8315 \cdot 0.5 \cdot \log(Yd9/pcp4xh) + 0.5 \cdot \log(Yd9_{-1}/pcp4xh_{-1}) - \log(Kh_{-1})$$

(0.0471)

$$+ 0.1634$$

(0.0554)

RSS	0.0483	\bar{s}	0.0401	\bar{y}	-0.1261
R ²	0.9650	R ²	0.9603	F 4, 30	206.715
DW	1.4358	LM ₁	1.71	H	1.4147

fIhn1 : Nettoinvesteringer i boliger

Ikke-lineær LS-estimation

21 observationer fra 1970 til 1990

 $fIhn1$

$$= \beta_1 \cdot (fIhn1_{-1} - \beta_2 \cdot nbs_{-1}) + \beta_3 \cdot (phk / (.8 \cdot pih + .2 \cdot phgk)) + \beta_4 \cdot d76 + \beta_5 \cdot d19723 + \beta_2 \cdot nbs + \beta_6 \cdot konst$$

Parameter	Estimat	Spredning			
β_1	0.5183	0.072307			
β_2	0.3645	0.158531			
β_3	24020.56	4251.68			
β_4	6323.87	1521.08			
β_5	5566.47	1398.41			
β_6	-19808.74	4172.69			
RSS	3E+07	\underline{s}	1447.92	\bar{y}	16420.4
R ²	0.9624	$\underline{R^2}$	0.9499	F 5, 15	76.7751
DW	1.5640	H	0.8710		

fIov : Offentlig sektors afskrivninger

OLS-estimation

30 observationer fra 1949 til 1978

 $D(fIov)$

$$= 0.0091 \cdot (0.25 \cdot fIon + 0.75 \cdot fIon_{-1})$$

(0.0008)

RSS	42117.2	\underline{s}	37.90	\bar{y}	71.85	\bar{e}	-3.91
R ²	0.61	DW	0.74	LM ₁	8.75		

fIla : Lagerinvesteringer hidrørende fra landbrug mv.

OLS-estimation med restriktioner : Koefficienten til 2. led er bundet til 6666.60

23 observationer fra 1968 til 1990

 $fIla$

$$= 0.1734 \cdot fXa_{-1} - fIla_{-1} - (fXa_{-2} - fIla_{-2})$$

(0.1168)

$$+ 6666.60 \cdot (vhstk1 - 0.5 \cdot vhstk1_{-1} - 0.5 \cdot vhstk1_{-2})$$

()

RSS	7219836	\underline{s}	561.549	\bar{y}	228.675	\bar{e}	110.812
R ²	0.5124	$\underline{R^2}$	0.4892				
DW	2.1492	LM ₁	1.5500				

fIlnf : Lagerinvesteringer hidrørende fra næringsmiddelindustri

OLS-estimation

20 observationer fra 1968 til 1987

fIlnf

$$= 0.0657 \cdot D(fXnf - fIlnf) \\ (0.0394)$$

RSS	2778524	\underline{s}	314.389	\bar{y}	289.329	\bar{e}	212.197
R ²	0.0038	R ²	0.0038				
DW	0.9913	LM ₁	1.3074				

fIlnn : Lagerinvesteringer hidrørende fra nydelsesmiddelindustri

OLS-estimation

20 observationer fra 1968 til 1987

fIlnn

$$= 0.1151 \cdot D(fXnn - fIlnn) \\ (0.0786)$$

RSS	70328.2	\underline{s}	60.8318	\bar{y}	8.8277	\bar{e}	-0.9624
R ²	0.0834	R ²	0.0834				
DW	1.7142	LM ₁	2.9661				

fIlnb : Lagerinvesteringer hidrørende fra leverandører til byggeri

OLS-estimation

20 observationer fra 1968 til 1987

fIlnb

$$= 0.2154 \cdot D(0.75 \cdot (fXnb - fIlnb) + 0.25 \cdot (fXnb_{-1} - fIlnb_{-1})) \\ (0.0785)$$

RSS	967673	\underline{s}	221.286	\bar{y}	1.5592	\bar{e}	-43.182
R ²	0.3138	R ²	0.3138				
DW	2.1358	LM ₁	2.7102				

fIlnm : Lagerinvesteringer hidrørende fra jern- og metalindustri

OLS-estimation

20 observationer fra 1968 til 1987

fIlnm

$$= 0.2109 \cdot D(0.5 \cdot (fXnm - fIlnm) + 0.5 \cdot (fXnm_{-1} - fIlnm_{-1})) \\ (0.0510)$$

RSS	4169141	\underline{s}	463.502	\bar{y}	234.039	\bar{e}	66.067
R ²	0.4114	R ²	0.4114				
DW	1.0499	LM ₁	2.1775				

fIlnt : Lagerinvesteringer hidrørende fra transportmiddelindustri

OLS-estimation

20 observationer fra 1968 til 1987

fIlnt

$$= 0.0652 \cdot D(0.25 \cdot (fXnt - fIlnt) + 0.75 \cdot (fXnt_{-1} - fIlnt_{-1}))$$

(0.1655)

RSS	3794183	\underline{s}	444.257	\bar{y}	-41.375	\bar{e}	-47.042
R ²	0.0111	R ²	0.0111				
DW	2.0824	LM ₁	1.8370				

fIlnk : Lagerinvesteringer hidrørende fra kemisk industri mv.

OLS-estimation

20 observationer fra 1968 til 1987

fIlnk

$$= 0.1185 \cdot D(0.5 \cdot (fXnk - fIlnk) + 0.5 \cdot (fXnk_{-1} - fIlnk_{-1}))$$

(0.0439)

RSS	486297	\underline{s}	156.998	\bar{y}	119.640	\bar{e}	29.9812
R ²	0.0045	R ²	0.0045				
DW	1.3468	LM ₁	2.0465				

fIlnq : Lagerinvesteringer hidrørende fra anden fremstillingsvirksomhed

OLS-estimation

20 observationer fra 1968 til 1987

fIlnq

$$= 0.2453 \cdot D(0.75 \cdot (fXnq - fIlnq) + 0.25 \cdot (fXnq_{-1} - fIlnq_{-1}))$$

(0.0353)

RSS	488663	\underline{s}	156.955	\bar{y}	117.399	\bar{e}	-32.092
R ²	0.6864	R ²	0.6864				
DW	2.3014	LM ₁	2.8896				

fIlqh : Lagerinvesteringer hidrørende fra handel

OLS-estimation

20 observationer fra 1968 til 1987

fIlqh

$$= 0.0343 \cdot D(fXqh - fIlqh)$$

(0.0000)

RSS	270412	\underline{s}	119.258	\bar{y}	52.6779	\bar{e}	3.0255
R ²	0.2879	R ²	0.2879				
DW	2.2147	LM ₁	1.7210				

fIlqq : Lagerinvesteringer hidrørende fra andre tjenesteydende erhverv

OLS-estimation

20 observationer fra 1968 til 1987

 $fIlqq$

$$= 0.0005 \cdot D(fXqq - fIlqq) \\ (0.0006)$$

RSS	793.281	$\frac{s}{s}$	6.4615	\bar{y}	0.8658	\bar{e}	-0.0347
R ²	0.0138	R ²	0.0138				
DW	0.9231	LM ₁	1.3829				

fIlm1 : Lagerinvesteringer hidrørende fra import af SITC 1 - drikkevarer og tobak

OLS-estimation

20 observationer fra 1968 til 1987

 $D(fIlm1)$

$$= 0.2508 \cdot D(fM1 - fIlm1) - 0.5692 \cdot fIlm1_{-1} \\ (0.1932) \quad (0.2017)$$

RSS	187111	$\frac{s}{s}$	99.733	\bar{y}	0.0298	\bar{e}	-20.088
R ²	0.3676	R ²	0.3325				
DW	1.5895	LM ₁	2.1264				

fIlm2 : Lagerinvesteringer hidrørende fra import af SITC2 og 4 - ubearbejdede varer

OLS-estimation

20 observationer fra 1968 til 1987

 $fIlm2$

$$= 0.0296 \cdot D(0.75 \cdot (fM2 - fIlm2) + 0.25 \cdot (fM2_{-1} - fIlm2_{-1})) \\ (0.1274)$$

RSS	1203917	$\frac{s}{s}$	157.975	\bar{y}	192.589	\bar{e}	191.017
R ²	0.0045	R ²	0.0045				
DW	0.8678	LM ₁	0.6803				

fIlm3r : Lagerinvesteringer hidrørende fra import af SITC 333 - råolie

OLS-estimation

20 observationer fra 1968 til 1987

 $fIlm3r$

$$= 0.1071 \cdot D(0.75 \cdot (fM3r - fIlm3r) + 0.25 \cdot (fM3r_{-1} - fIlm3r_{-1})) \\ (0.0593)$$

RSS	1417489	$\frac{s}{s}$	229.949	\bar{y}	132.415	\bar{e}	143.672
R ²	0.2366	R ²	0.2366				
DW	1.7769	LM ₁	0.8476				

fIlm3k : Lagerinvesteringer hidrørende fra import af SITC 32 - kul og koks

OLS-estimation

20 observationer fra 1968 til 1987

 $D(fIlm3k)$

$$= 0.000016 \cdot D(fM3k_{-1} - fIlm3k_{-1}) - 0.72360 \cdot fIlm3k_{-1}$$

(0.1211) (0.0000)

RSS	559831	\underline{s}	176.323	\bar{y}	-1.5631	\bar{e}	3.2623
R ²	0.5809	R ²	0.5576				
DW	2.0814	LM ₁	2.3362				

fIlm3q : Lagerinvesteringer hidrørende fra import af rest af SITC 3 - olieprodukter

OLS-estimation

20 observationer fra 1968 til 1987

 $D(fIlm3q)$

$$= 0.000046 \cdot D(fM3q_{-1} - fIlm3q_{-1}) - 0.51395 \cdot fIlm3q_{-1}$$

(0.0615) (0.0000)

RSS	2463825	\underline{s}	369.140	\bar{y}	-14.185	\bar{e}	23.5183
R ²	0.2704	R ²	0.2299				
DW	2.2487	LM ₁	1.7958				

fIlm5 : Lagerinvesteringer hidrørende fra import af SITC 5 - kemikalier

OLS-estimation

20 observationer fra 1968 til 1987

 $D(fIlm5)$

$$= 0.1293 \cdot D(0.75 \cdot (fM5 - fIlm5) + 0.25 \cdot (fM5_{-1} - fIlm5_{-1}))$$

(0.0438)

$$- 0.7024 \cdot fIlm5_{-1}$$

(0.1805)

RSS	232218	\underline{s}	113.474	\bar{y}	0.3335	\bar{e}	4.7171
R ²	0.5037	R ²	0.4761				
DW	1.8962	LM ₁	2.4555				

fIlm6m : Lagerinvesteringer hidrørende fra import af SITC 67-69, jern- og metalvarer

OLS-estimation

20 observationer fra 1968 til 1987

 $fIlm6m$

$$= 0.0980 \cdot D(fM6m - fIlm6m)$$

(0.0321)

RSS	190967	\underline{s}	94.3207	\bar{y}	56.8849	\bar{e}	33.1173
R ²	0.2476	R ²	0.2476				
DW	1.9257	LM ₁	1.8903				

fIIm6q : Lagerinvesteringer hidrørende fra import af rest af SITC 6 - andre bearbejdede varer

OLS-estimation

20 observationer fra 1968 til 1987

fIIm6q

$$= 0.2096 \cdot D(0.75 \cdot (fM6q - fIIm6q) + 0.25 \cdot (fM6q_{-1} - fIIm6q_{-1}))$$

(0.0287)

RSS	131084	\underline{S}	76.5028	\bar{Y}	28.1223	\bar{e}	-31.530
R ²	0.7878	R ²	0.7878				
DW	1.7865	LM ₁	0.8833				

fIIm7b : Lagerinvesteringer hidrørende fra import af del af SITC 78 - person- og lastbiler

OLS-estimation

20 observationer fra 1968 til 1987

fIIm7b

$$= 0.3007 \cdot D(fM7b - fIIm7b) + 2280.4 \cdot d86$$

(0.0311) (113.51)

RSS	231831	\underline{S}	98.6575	\bar{Y}	207.568	\bar{e}	53.2125
R ²	0.9700	R ²	0.9683				
DW	1.4104	LM ₁	1.5452				

fIIm7q : Lagerinvesteringer hidrørende fra import af rest af SITC 7 - maskiner mv.

OLS-estimation

20 observationer fra 1968 til 1987

D(fIIm7q)

$$= 0.1231 \cdot D(fM7q - fIIm7q) - 0.6532 \cdot fIIm7q_{-1}$$

(0.0396) (0.1787)

RSS	1548870	\underline{S}	286.368	\bar{Y}	-21.136	\bar{e}	-60.313
R ²	0.5152	R ²	0.4883				
DW	1.4798	LM ₁	1.6214				

fIIm8 : Lagerinvesteringer hidrørende fra import af SITC 8 og 9 - andre færdigvarer plus diverse

OLS-estimation

20 observationer fra 1968 til 1987

fIIm8

$$= 0.1054 \cdot D(fM8 - fIIm8)$$

(0.0163)

RSS	76544.8	\underline{S}	61.9149	\bar{Y}	40.7135	\bar{e}	13.618
R ²	0.6649	R ²	0.6649				
DW	2.2783	LM ₁	1.8198				

fMz01 : Konkurrerende del af import af SITC 0 - næringsmidler og levende dyr

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \text{Dlog}(fMz01) \\ &= \beta_1 \cdot \text{Dlog}(fAm0) - \beta_2 \cdot \log(0l_{-1}) / fAm0_{-1}) \\ &- \beta_3 \cdot \log(pxm0_{-1}) + \beta_4 - \beta_5 / (1 + \exp(\beta_6 \cdot (tid - \beta_7))) \end{aligned}$$

Parameter	Estimat	Spredning
-----------	---------	-----------

β_1	1.8798	0.27147
β_2	0.6452	0.16428
β_3	0.3158	0.18303
β_4	-0.0040	0.04303
β_5	-0.4500	0.20610
β_6	-0.1926	0.08374
β_7	1981.85	2.42463

RSS = 0.0267 s = 0.0341 \bar{y} = 0.0336 R^2 = 0.8123 DW = 1.9541

fMz1 : Konkurrerende del af import af SITC 1 - drikkevarer og tobak

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \text{Dlog}(fMz1) \\ &= \beta_1 \cdot \text{Dlog}(fAm1) + \beta_2 \cdot \text{Dlog}(pxm1) \\ &+ \beta_3 \cdot (\log(l_{-1}) / fAm1_{-1}) - \beta_2 \cdot \log(pxm1_{-1}) - \beta_4 \end{aligned}$$

Parameter	Estimat	Spredning
-----------	---------	-----------

β_1	1.2381	0.41429
β_2	-0.7181	0.06842
β_3	-0.8707	0.18825
β_4	0.4481	0.01674

RSS = 0.0806 s = 0.0557 \bar{y} = 0.0439 R^2 = 0.6716 DW = 1.9238

fMz2 : Konkurrerende del af import af STIC 2 og 4 - ubearbejdede varer, ikke spiselige, undt. brændsel, samt animalske og vegetabiliske olier mv.

a. Kointegrationsrelationen

Ikke-lineær estimation

31 observationer fra 1960 til 1990

$$\log(fMz2_{-1}/fAm2_{-1}) = \beta_1 \cdot \log(pxm2_{-1}) + \beta_2 + \beta_3 / (1 + \exp(\beta_4 \cdot (tid - \beta_5 - 1)))$$

Parameter	Estimat	Spredning
β_1	-0.7302	0.18340
β_2	0.6323	0.62397
β_3	-0.8289	2.64619
β_4	-0.0856	0.25982
β_5	1984.90	41.46230

RSS = 0.1198 s = 0.0675 \bar{y} = 0.3479 R^2 = 0.8157 DW = 1.3641 DF = -3.12

b. Fejlkorrektionsrelationen

OLS-estimation

30 observationer fra 1961 til 1990

$$D\log(fMz2) = \alpha_1 \cdot D\log(fAm2) + \alpha_2 \cdot D\log(pxm2) + \alpha_3 + \alpha_4 \cdot ECM_{-1}$$

Parameter	Estimat	Spredning
α_1	1.3362	0.27090
α_2	-0.5130	0.13971
α_3	-0.0152	0.01297
α_4	-0.6573	0.17718

RSS = 0.0952 s = 0.0605 \bar{y} = 0.0334 R^2 = 0.7170 DW = 1.8185

fMz5 : Konkurrerende del af import af STIC 5 - kemikalier

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$D\log(fMz5) = \beta_1 \cdot D\log(fAm5) + \beta_2 \cdot D\log(pxm5) + \beta_3 \cdot \log(5_{-1}/fAm5_{-1}) - \beta_4 \cdot \log(pxm5_{-1}) + \beta_5 - \beta_6 / (1 + \exp(\beta_7 \cdot (tid - 1960)))$$

Parameter	Estimat	Spredning
β_1	1.0931	0.11560
β_2	-0.0699	0.15677
β_3	-0.5642	0.15600
β_4	0.2780	0.11790
β_5	-0.3186	0.12733
β_6	-0.6526	0.21785
β_7	-0.1568	0.02059

RSS = 0.0142 s = 0.0248 \bar{y} = 0.0571 R^2 = 0.8746 DW = 1.6919

fMz6q1 : Konkurrerende del af import af SITC 6 - andre bearbejdede varer

Ikke lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \text{Dlog}(fMz6q1) \\ &= \beta_1 \cdot \text{Dlog}(fAm6q) + \beta_2 \cdot \text{Dlog}(pxm6q) \\ &+ \beta_3 \cdot \log(6q1_{-1} / fAm6q_{-1}) - \beta_4 \cdot \log(pxm6q_{-1}) + \beta_5 \\ &- \beta_6 / (1 + \exp(\beta_7 \cdot (tid - 1986))) \end{aligned}$$

Parameter	Estimat	Spredning
β_1	1.5163	0.12845
β_2	-0.6511	0.30598
β_3	-0.2081	0.10094
β_4	0.2458	0.19630
β_5	0.1090	0.06083
β_6	0.1130	0.05988
β_7	-0.3166	0.16769

$$RSS = 0.0156 \quad s = 0.0261 \quad \bar{y} = 0.0392 \quad R^2 = 0.9229 \quad DW = 1.6994$$

fMz7q1 : Konkurrerende del af import af SITC 7 - maskiner m.m.

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \log(fMz7q1) \\ &= \log(fAm7q) - \beta_1 \cdot \log(pxM7q) + \beta_2 \\ &+ \beta_3 / (1 + \exp(\beta_4 \cdot (tid - \beta_5))) \end{aligned}$$

Parameter	Estimat	Spredning
β_1	-0.5644	0.04837
β_2	0.0726	0.02100
β_3	0.3536	0.02238
β_4	-0.5023	0.06501
β_5	1966.38	0.32150

$$RSS = 0.0052 \quad s = 0.0144 \quad \bar{y} = 0.3319 \quad R^2 = 0.9912 \quad DW = 2.2070$$

fMz81 : Konkurrerende del af import af SITC 8 og 9 - andre færdigvarer plus diverse

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \text{Dlog}(fMz81) \\ &= \beta_1 \cdot \text{Dlog}(fAm8) + \beta_2 \cdot \text{Dlog}(pxm8) \\ &+ \beta_3 \cdot \log(81_{-1} / fAm8_{-1}) - \beta_4 \cdot \log(pxM8_{-1}) + \beta_5 \\ &- \beta_6 / (1 + \exp(\beta_7 \cdot (tid - 1960))) \end{aligned}$$

Parameter	Estimat	Spredning
β_1	1.1283	0.14595
β_2	-1.3660	0.18077
β_3	-0.4508	0.13977
β_4	0.7291	0.33589
β_5	-0.0791	0.15850
β_6	-0.7090	0.34464
β_7	-0.1757	0.02877

$$RSS = 0.0313 \quad s = 0.0369 \quad \bar{y} = 0.0758 \quad \bar{R}^2 = 0.9246 \quad DW = 1.8257$$

fE6 : Eksport af SITC 6 - bearbejdede varer

20 observationer fra 1971 til 1990

Systemstimation med restriktioner, jf. kapitel 6, afsnit 6.1.4

$$\begin{aligned} & \text{Dlog}(fE6) \\ &= \gamma_1 \cdot \text{Dlog}(fEe6) + \gamma_2 \cdot \text{Dlog}(pe6/pee6) \\ &- 0.15 \cdot (\log(fE6_{-1}/fEe6_{-1}) - \beta_1 \cdot \log(pe6_{-1}/pee6_{-1}) - \beta_0) \end{aligned}$$

Parameter	Estimat	Spredning
γ_1	0.5088	0.247845
γ_2	-0.7520	0.270522
β_1	-2.7120	1.037500
β_0	9.6280	0.120168

$$\text{RSS} = 0.0408 \quad s = 0.0452 \quad \bar{y} = 0.0468 \quad R^2 = 0.3650 \quad \text{DW} = 2.1678$$

fE7q : Eksport af SITC 7 - maskiner og transportmidler, ekskl. skibe, fly og boreplatforme

20 observationer fra 1971 til 1990

Systemestimation med restriktioner, jf. kapitel 6, afsnit 6.1.4

$$\begin{aligned} & \text{Dlog}(fE7q) \\ &= \gamma_1 \cdot \text{Dlog}(fEe7q) + \gamma_2 \cdot \text{Dlog}(pe7q/pee7q) \\ &- 0.15 \cdot (\log(fE7q_{-1}/fEe7q_{-1}) + 1 \cdot \log(pe7q_{-1}/pee7q_{-1}) - \beta_0) \end{aligned}$$

Parameter	Estimat	Spredning
γ_1	0.5257	0.112808
γ_2	-0.5827	0.104565
β_0	10.1500	0.059921

$$\text{RSS} = 0.0145 \quad s = 0.0270 \quad \bar{y} = 0.0492 \quad R^2 = 0.7317 \quad \text{DW} = 1.5699$$

fE8 : Eksport af SITC 8 og 9 - andre færdigvarer plus diverse

20 observationer fra 1971 til 1990

Systemstimation med restriktioner, jf. kapitel 6, afsnit 6.1.4

$$\begin{aligned} & \text{Dlog}(fE8) \\ &= \gamma_1 \cdot \text{Dlog}(fEe8) - \gamma_2 \cdot \text{Dlog}(pe8/pee8) \\ &- 0.15 \cdot (\log(fE8_{-1}/fEe8_{-1}) - \beta_1 \cdot \log(pe8_{-1}/pee8_{-1}) - \beta_0) \end{aligned}$$

Parameter	Estimat	Spredning
γ_1	0.6143	0.113967
γ_2	-0.2047	0.170019
β_1	-2.9340	0.305000
β_0	9.7180	0.078330

$$\text{RSS} = 0.0348 \quad s = 0.0417 \quad \bar{y} = 0.0605 \quad R^2 = 0.3877 \quad \text{DW} = 0.6765$$

fEt : Turistindtægter

Ikke-lineær LS-estimation

30 observationer fra 1961 til 1990

$$\begin{aligned} & \text{Dlog}(fEt/fEt_{1980}) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(fEet/fEet_{1980}) + \beta_3 \cdot \text{Dlog}(pet/peet) + \beta_4 \cdot (\log(fEt_{-1}/fEt_{1980}) \\ & - (\log(fEet_{-1}/fEet_{1980}) + \beta_5 \cdot (\log(pet_{-1}/peet_{-1})))) + \beta_6 \cdot (1/(1+\exp(\beta_7 \cdot (tid-1960)))) \end{aligned}$$

Parameter	Estimat	Spredning				
β_1	0.0954	0.035774				
β_2	0.8859	0.795167				
β_3	-0.3431	0.266810				
β_4	-0.6368	0.217899				
β_5	-0.8206	0.266234				
β_6	-0.6483	0.242362				
β_7	0.2075	0.046707				
RSS	0.0526	$\frac{s}{R^2}$	0.0478	\bar{y}		0.0442
R^2	0.4322		0.2841	F	6, 23	2.9178
DW	1.6487					

Efterspørgslen efter arbejdskraft og maskinkapital mv., a-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKma) \\ &= \gamma K1 \cdot \text{Dlog}(fKma_w) + \gamma K2 \cdot (\log(fKma_{w-1}) - \log(fKma_{-1})) \\ &+ \rho K \cdot (\text{Dlog}(fKma_{-1}) - \gamma K1 \cdot \text{Dlog}(fKma_{w-1}) - \gamma K2 \cdot (\log(fKma_{w-2}) - \log(fKma_{-2}))) \end{aligned}$$

$$RSS = 0.0275 \quad s = 0.0288 \quad \bar{y} = -0.3049 \quad R^2 = 0.9889 \quad DW = 1.2510$$

$$\begin{aligned} & \log(HQa) \\ &= \gamma L1 \cdot (\log(HQan) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQan_{-1}) - \log(Hgn1_{-1})) - \gamma L2 \cdot (\log(HQan_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho L \cdot (\log(HQa_{-1}) - (\gamma L1 \cdot (\log(HQan_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQan_{-2}) - \log(Hgn1_{-2}))) - \gamma L2 \cdot (\log(HQan_{-3}) - \log(Hgn1_{-3})) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0303 \quad s = 0.03030 \quad \bar{y} = 0.3222 \quad R^2 = 0.9954 \quad DW = 1.3845$$

Hvor :

$$\begin{aligned} fKma_w &= (1/dt f kma) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot ((fYfa - 10000 \cdot v h s t k 1)/17374.12)/\kappa \\ &\cdot (((l a l \cdot 309.31)/(u i m a \cdot 21480.56) \cdot (d t f k m a / d t h q a))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma + 1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 21480.56 \end{aligned}$$

$$\begin{aligned} HQan &= (1/dt h q a) \cdot ((1/(1-\delta)) \cdot (((fYfa - 10000 \cdot v h s t k 1)/17374.12)/\kappa) \\ &^{**}(-(1/\sigma - 1)) - (\delta/(1-\delta)) \cdot (d t f k m a \cdot f K m a k / 21480.56)^{**}(-(1/\sigma - 1))) \\ &^{**}(-(1/(1/\sigma - 1))) \cdot 309.31 \end{aligned}$$

$$\begin{aligned} dt f k m a &= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**}2 + \omega K3 \cdot \text{time}^{**}3 + \omega K4 \cdot \text{time}^{**}4 + \omega K5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} dt h q a &= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**}2 + \omega L3 \cdot \text{time}^{**}3 + \omega L4 \cdot \text{time}^{**}4 + \omega L5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega L5 &= 0 \\ \omega K2 &= 0, \quad \omega K4 = 1/2 \quad \omega K3 + 5/3 \quad \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \quad \omega L3 + 5/3 \quad \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.4675	0.245132
δ	0.3593	0.063930
κ	1.8512	0.086045
$\gamma K1$	0.2761	0.073580
$\gamma K2$	0.4745	0.127273
$\gamma L1$	0.3546	0.049626
$\gamma L2$	-0.2425	0.043448
ρK	0.4563	0.179728
ρL	0.8438	0.106876

Trend-parametre

$\omega K1$	0.5665	1.19888
$\omega K3$	1.0836	6.42904
$\omega K5$	2.4876	3.59029
$\omega L1$	2.2872	0.383553
$\omega L3$	-0.4547	0.991067

$$\log(\text{likelihood}) = 148.813$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., ng-erhvervet

21 observationer fra 1970 til 1990

$$\begin{aligned} \text{Dlog}(fKmg) &= 0.20 \cdot \text{Dlog}(fKmgw) + 0.20 \cdot \text{Dlog}(fKmgw_{-1}) + 0.20 \cdot \text{Dlog}(fKmgw_{-2}) \\ &\quad + 0.20 \cdot \text{Dlog}(fKmgw_{-3}) + 0.20 \cdot \text{Dlog}(fKmgw_{-4}) \end{aligned}$$

$$RSS = 0.2721 \quad s = 0.1138 \quad \bar{y} = 0.0078 \quad R^2 = 0.5708 \quad DW = 0.6825$$

$$\begin{aligned} \text{Dlog}(HQng) &= 0.65 \cdot (\text{Dlog}(HQngw) - \text{Dlog}(Hgn1)) + \text{Dlog}(Hgn1) \\ &\quad + 0.20 \cdot (\text{Dlog}(HQngw_{-1}) - \text{Dlog}(Hgn1_{-1})) \\ &\quad + 0.15 \cdot (\text{Dlog}(HQngw_{-2}) - \text{Dlog}(Hgn1_{-2})) \end{aligned}$$

$$RSS = 0.1969 \quad s = 0.0968 \quad \bar{y} = -0.0015 \quad R^2 = .684831 \quad DW = 0.8319$$

Hvor :

$$\begin{aligned} fKmgw &= (1/dt fkmng) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot ((fXng/11540.96)/\kappa) \\ &\quad \cdot (((lmg1 \cdot 1.03118)/(uimg \cdot 644.48)) \cdot (dt fkmng/dthqng))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &\quad **(\sigma/(1-\sigma)) \cdot 644.48 \end{aligned}$$

$$\begin{aligned} HQngw &= (1/dthqng) \cdot (1-\delta)^{**}(\sigma/(1-\sigma)) \cdot ((fXng/11540.96)/\kappa) \\ &\quad \cdot (((uimg \cdot 644.48)/(lmg1 \cdot 1.03118)) \cdot (dthqng/dt fkmng)) \cdot (\delta/(1-\delta))^{**}\sigma+1) \\ &\quad **(\sigma/(1-\sigma)) \cdot 1.03118 \end{aligned}$$

$$\begin{aligned} dt fkmng &= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**}2 + \omega K3 \cdot \text{time}^{**}3 + \omega K4 \cdot \text{time}^{**}4 + \omega K5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} dthqng &= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**}2 + \omega L3 \cdot \text{time}^{**}3 + \omega L4 \cdot \text{time}^{**}4 + \omega L5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid-1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega K5 &= 0, \quad \omega L5 = 0 \\ \omega K2 &= 0, \quad \omega K4 = 1/2 \omega K3 + 5/3 \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \omega L3 + 5/3 \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.1000	-
δ	0.9423	0.017930
κ	0.9880	0.062469

Trend-parametre

$\omega K1$	-0.9555	0.360130
$\omega K3$	3.6601	1.30680
$\omega L1$	0.4214	0.302965
$\omega L3$	-0.1050	1.09997

$$\log(\text{likelihood}) = 48.8637$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., ne-erhvervet

36 observationer fra 1955 til 1990

$$\begin{aligned} & \text{Dlog}(fKmne) \\ &= 0.20 \cdot \text{Dlog}(fKmnew) + 0.20 \cdot \text{Dlog}((fKmnew_{-1}) + 0.20 \cdot \text{Dlog}(fKmnew_{-2}) \\ &+ 0.20 \cdot \text{Dlog}(fKmnew_{-3}) + 0.20 \cdot \text{Dlog}(fKmnew_{-4}) \\ \text{RSS} &= 0.2730 \quad s = 0.087082 \quad \bar{y} = -0.2657 \quad R^2 = 0.9351 \quad \text{DW} = 0.7611 \end{aligned}$$

$$\begin{aligned} & \text{Dlog}(HQne) \\ &= 0.65 \cdot (\text{Dlog}(HQnew) - \text{Dlog}(Hgn1)) + \text{Dlog}(Hgn1) \\ &+ 0.20 \cdot (\text{Dlog}(HQnew_{-1}) - \text{Dlog}(Hgn1_{-1})) \\ &+ 0.15 \cdot (\text{Dlog}(HQnew_{-2}) - \text{Dlog}(Hgn1_{-2})) \\ \text{RSS} &= 0.2416 \quad s = 0.0819 \quad \bar{y} = 0.0331 \quad R^2 = 0.1738 \quad \text{DW} = 0.7562 \end{aligned}$$

Hvor :

$$fKmnew = (fXne/11257.82)/\kappa/dt fkmne \cdot 3881.72$$

$$HQnew = (fXne/11257.82)/\delta/dthqne \cdot 21.56726$$

$$dt fkmne = \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^2 + \omega K3 \cdot \text{time}^3 + \omega K4 \cdot \text{time}^4 + \omega K5 \cdot \text{time}^5)$$

$$dthqne = \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^2 + \omega L3 \cdot \text{time}^3 + \omega L4 \cdot \text{time}^4 + \omega L5 \cdot \text{time}^5)$$

$$\text{time} = (tid - 1990)/32$$

Pålagte restriktioner :

$$\begin{aligned} \omega K5 &= 0, \quad \omega L5 = 0 \\ \omega K2 &= 0, \quad \omega K4 = 1/2 \omega K3 + 5/3 \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \omega L3 + 5/3 \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
δ	1.1450	0.043764
κ	1.7450	0.070894

Trend-parametre

$\omega K3$	-1.8440	0.252641
$\omega K1$	2.0737	0.146531
$\omega L3$	2.4320	0.237675
$\omega L1$	0.3861	0.137850

$$\log(\text{likelihood}) = 88.8200$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nf-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmnf) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmnfw) + \gamma_{K2} \cdot (\log(fKmnfw_{-1}) - \log(fKmnf_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmnf_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmnfw_{-1}) - \gamma_{K2} \cdot (\log(fKmnfw_{-2}) - \log(fKmnf_{-2}))) \end{aligned}$$

$$RSS = 0.0093 \quad s = 0.0168 \quad \bar{y} = -0.2862 \quad R^2 = 0.9977 \quad DW = 2.0080$$

$$\begin{aligned} & \log(HQnfn) \\ &= \gamma_{L1} \cdot (\log(HQnfn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnfn_{-1}) - \log(Hgnl_{-1})) - \gamma_{L2} \cdot (\log(HQnfn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho_L \cdot (\log(HQnfn_{-1}) - (\gamma_{L1} \cdot (\log(HQnfn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnfn_{-2}) - \log(Hgnl_{-2}))) - \gamma_{L2} \cdot (\log(HQnfn_{-3}) - \log(Hgnl_{-3})) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.0353 \quad s = 0.0327 \quad \bar{y} = 0.1828 \quad R^2 = 0.9593 \quad DW = 1.1478$$

Hvor :

$$\begin{aligned} fKmnfw &= (1/dt fkmnf) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnf/12060.75)/\kappa \\ &\cdot ((\ln f1 \cdot 126.40)/(uimnf \cdot 7449.04) \cdot (dt fkmnf/dthqnf))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 7449.04 \end{aligned}$$

$$\begin{aligned} HQnfn &= (1/dthqnf) \cdot ((1/(1-\delta)) \cdot (fYfnf/12060.75)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fkmnf \cdot fKmnfk/7449.04)^{**}(-(1/\sigma-1)) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 126.40 \end{aligned}$$

$$\begin{aligned} dt fkmnf &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqnf &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (\text{tid} - 1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega_{K5} &= 0 \\ \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \omega_{K3} + 5/3 \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \omega_{L3} + 5/3 \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.6467	0.236706
δ	0.2529	0.020805
κ	1.2945	0.040505
γ_{K1}	0.2219	0.052281
γ_{K2}	0.3441	0.083558
γ_{L1}	0.4257	0.085058
γ_{L2}	-0.2608	0.075065
ρ_K	0.5656	0.159456
ρ_L	0.5801	0.154524

Trend-parametre

ω_{K1}	-0.0049	1.05135
ω_{K3}	0.5530	2.23199
ω_{L1}	1.1146	0.409648
ω_{L3}	2.8194	2.06330
ω_{L5}	1.3323	1.19250

$$\log(\text{likelihood}) = 157.220$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nn-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmn) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmnw) + \gamma_{K2} \cdot (\log(fKmnw_{-1}) - \log(fKmn_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmn_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmnw_{-1}) - \gamma_{K2} \cdot (\log(fKmnw_{-2}) - \log(fKmn_{-2}))) \end{aligned}$$

$$RSS = 0.0517 \quad s = 0.0396 \quad \bar{y} = -0.2371 \quad R^2 = 0.9781 \quad DW = 1.5743$$

$$\begin{aligned} & \log(HQnn) \\ &= \gamma_{L1} \cdot (\log(HQnnn) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnnn_{-1}) - \log(Hgn1_{-1})) - \gamma_{L2} \cdot (\log(HQnnn_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho_L \cdot (\log(HQnn_{-1}) - (\gamma_{L1} \cdot (\log(HQnnn_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnnn_{-2}) - \log(Hgn1_{-2}))) - \gamma_{L2} \cdot (\log(HQnnn_{-3}) - \log(Hgn1_{-3})) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0498 \quad s = 0.0388 \quad \bar{y} = 0.1441 \quad R^2 = 0.9860 \quad DW = 0.9296$$

Hvor :

$$\begin{aligned} fKmnw &= (1/dt fkmnn) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnn/2306.52)/\kappa \\ &\cdot (((l_{nn1} \cdot 23.88699)/(u_{imnn} \cdot 1721.37)) \cdot (dt fkmnn/dthqnn))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 1721.37 \end{aligned}$$

$$\begin{aligned} HQnnn &= (1/dthqnn) \cdot ((1/(1-\delta)) \cdot ((fYfnn/2306.52)/\kappa) \\ &^{**}(-(1/(\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fkmnn \cdot fKmnk/1721.37))^{**}(-(1/(\sigma-1)))) \\ &^{**}(-(1/(1/(\sigma-1)))) \cdot 23.88699 \end{aligned}$$

$dt fkmnn$

$$= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5})$$

$dthqnn$

$$= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5})$$

time

$$= (tid - 1990)/32$$

Pålagte restriktioner :

$$\omega_{L5} = 0$$

$$\omega_{K2} = 0, \quad \omega_{K4} = 1/2 \quad \omega_{K3} + 5/3 \quad \omega_{K5}$$

$$\omega_{L2} = 0, \quad \omega_{L4} = 1/2 \quad \omega_{L3} + 5/3 \quad \omega_{L5}$$

Parameter	Estimat	Spredning
σ	0.2732	0.225584
δ	0.7313	0.382938
κ	1.0362	0.150126
γ_{K1}	0.2375	0.106246
γ_{K2}	0.4156	0.155863
γ_{L1}	0.4288	0.074226
γ_{L2}	-0.1808	0.066265
ρ_K	0.3467	0.239565
ρ_L	0.7808	0.083311

Trend-parametre

ω_{K1}	-2.9397	1.54866
ω_{K3}	18.2197	9.06157
ω_{K5}	10.2290	4.91791
ω_{L1}	1.1380	0.350392
ω_{L3}	1.06384	0.763830

$$\log(\text{likelihood}) = 129.518$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nb-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmnbn) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmnbn) + \gamma_{K2} \cdot (\log(fKmnbn_{-1}) - \log(fKmnbn)) \\ &+ \rho_K \cdot (\text{Dlog}(fKmnbn_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmnbn_{-1}) - \gamma_{K2} \cdot (\log(fKmnbn_{-2}) - \log(fKmnbn_{-1}))) \end{aligned}$$

$$RSS = 0.0286 \quad s = 0.0294 \quad \bar{y} = -0.2584 \quad R^2 = 0.9946 \quad DW = 1.8648$$

$$\begin{aligned} & \log(HQnbn) \\ &= \gamma_{L1} \cdot (\log(HQnbn) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnbn_{-1}) - \log(Hgn1_{-1})) - \gamma_{L2} \cdot (\log(HQnbn_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho_L \cdot (\log(HQnbn_{-1}) - (\gamma_{L1} \cdot (\log(HQnbn_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnbn_{-2}) - \log(Hgn1_{-2})) - \gamma_{L2} \cdot (\log(HQnbn_{-3}) - \log(Hgn1_{-3}))) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0159 \quad s = 0.0219 \quad \bar{y} = 0.2038 \quad R^2 = 0.9892 \quad DW = 1.6364$$

Hvor :

$$\begin{aligned} & fKmnbn \\ &= (1/dt fKmnbn) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnb/5341.18)/\kappa \\ &\cdot (((\ln b1 \cdot 67.7359)/(uimnb \cdot 5918.93)) \cdot (dt fKmnbn/dthqnb))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 5918.93 \end{aligned}$$

$$\begin{aligned} & HQnbn \\ &= (1/dthqnb) \cdot ((1/(1-\delta)) \cdot (fYfnb/5341.18)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fKmnbn \cdot fKmnbnk/5918.93)^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 67.74 \end{aligned}$$

$$\begin{aligned} & dt fKmnbn \\ &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & dthqnb \\ &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & \text{time} \\ &= (tid-1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega_{L5} &= 0 \\ \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \quad \omega_{K3} + 5/3 \quad \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \quad \omega_{L3} + 5/3 \quad \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.3644	0.202315
δ	0.3596	0.073770
κ	1.0369	0.024662
ρ_K	0.3898	0.198886
ρ_L	0.6965	0.132204
γ_{K1}	0.2354	0.080957
γ_{K2}	0.4510	0.118121
γ_{L1}	0.4644	0.041292
γ_{L2}	-0.2257	0.042170

Trend-parametre

ω_{K1}	-0.7156	0.479183
ω_{K3}	0.5776	0.906220
ω_{L1}	-0.0923	0.284039
ω_{L3}	4.5538	1.79966
ω_{L5}	1.4538	1.13284

$$\log(\text{likelihood}) = 149.128$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nm-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKnmnm) \\ &= \gamma K1 \cdot \text{Dlog}(fKnmnmw) + \gamma K2 \cdot (\log(fKnmnmw_{-1}) - \log(fKnmnm_{-1})) \\ &+ \rho L \cdot (\text{Dlog}(fKnmnm_{-1}) - \gamma K1 \cdot \text{Dlog}(fKnmnmw_{-1}) - \gamma K2 \cdot (\log(fKnmnmw_{-2}) - \log(fKnmnm_{-2}))) \end{aligned}$$

$$RSS = 0.0066 \quad s = 0.0141 \quad \bar{y} = -0.3515 \quad R^2 = 0.9993 \quad DW = 1.9501$$

$$\begin{aligned} & \log(HQnm) \\ &= \gamma L1 \cdot (\log(HQnmn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQnmn_{-1}) - \log(Hgnl_{-1})) - \gamma L2 \cdot (\log(HQnmn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho L \cdot (\log(HQnm_{-1}) - (\gamma L1 \cdot (\log(HQnmn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQnmn_{-2}) - \log(Hgnl_{-2})) - \gamma L2 \cdot (\log(HQnmn_{-3}) - \log(Hgnl_{-3}))) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.0146 \quad s = 0.0211 \quad \bar{y} = 0.0524 \quad R^2 = 0.9245 \quad DW = 1.5900$$

Hvor :

$$\begin{aligned} fKnmnmw &= (1/dt fKnmnm) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnm/20338.33)/\kappa \\ &\cdot (((lnml \cdot 277.14)/(uimnm \cdot 11419.88)) \cdot (dt fKnmnm/dthqnm))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 11419.88 \end{aligned}$$

$$\begin{aligned} HQnmn &= (1/dthqnm) \cdot ((1/(1-\delta)) \cdot ((fYfnm/20338.33)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fKnmnm \cdot fKnmnmk/11419.88)^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 277.14 \end{aligned}$$

$$\begin{aligned} dt fKnmnm &= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**}2 + \omega K3 \cdot \text{time}^{**}3 + \omega K4 \cdot \text{time}^{**}4 + \omega K5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} dthqnm &= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**}2 + \omega L3 \cdot \text{time}^{**}3 + \omega L4 \cdot \text{time}^{**}4 + \omega L5 \cdot \text{time}^{**}5) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid-1990)/32 \end{aligned}$$

Pålagte restriktioner:

$$\begin{aligned} \omega K2 &= 0, \quad \omega K4 = 1/2 \omega K3 + 5/3 \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \omega L3 + 5/3 \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.4855	0.123402
δ	0.2449	0.031788
κ	0.9352	0.013880
ρK	0.5017	0.182206
ρL	0.3391	0.168522
$\gamma K1$	0.2902	0.051843
$\gamma K2$	0.5311	0.080061
$\gamma L1$	0.6671	0.063482
$\gamma L2$	-0.1157	0.063001

Trend-parametre

$\omega K1$	-1.9074	0.672235
$\omega K3$	4.0822	3.10407
$\omega K5$	0.9527	1.74470
$\omega L1$	-0.2190	0.186098
$\omega L3$	6.5234	1.10089
$\omega L5$	2.5561	0.643360

$$\log(\text{likelihood}) = 174.633$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nt-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmnt) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmntw) + \gamma_{K2} \cdot (\log(fKmntw_{-1}) - \log(fKmnt_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmnt_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmntw_{-1}) - \gamma_{K2} \cdot (\log(fKmntw_{-2}) - \log(fKmnt_{-2}))) \end{aligned}$$

$$RSS = 0.0614 \quad s = 0.0431 \quad \bar{y} = -0.1705 \quad R^2 = 0.9894 \quad DW = 1.7771$$

$$\begin{aligned} & \log(HQnt) \\ &= \gamma_{L1} \cdot (\log(HQntn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQntn_{-1}) - \log(Hgnl_{-1})) - \gamma_{L2} \cdot (\log(HQntn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho_L \cdot (\log(HQnt_{-1}) - (\gamma_{L1} \cdot (\log(HQntn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQntn_{-2}) - \log(Hgnl_{-2})) - \gamma_{L2} \cdot (\log(HQntn_{-3}) - \log(Hgnl_{-3}))) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.1201 \quad s = 0.0603 \quad \bar{y} = 0.1862 \quad R^2 = 0.9283 \quad DW = 1.1852$$

Hvor :

$$\begin{aligned} fKmntw &= (1/dtfkmnt) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnt/3202.9)/\kappa \\ &\cdot (((lnt1 \cdot 49.71424)/(uimnt \cdot 1368.38) \cdot (dtfkmnt/dthqnt))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &\cdot (\sigma/(1-\sigma)) \cdot 1368.38 \end{aligned}$$

$$\begin{aligned} HQntn &= (1/dthqnt) \cdot ((1/(1-\delta)) \cdot ((fYfnt/3202.90)/\kappa) \\ &\cdot ((-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dtfkmnt \cdot fKmntk/1368.38)^{**}(-(1/\sigma-1))) \\ &\cdot ((-(1/(1/\sigma-1))) \cdot 49.71424) \end{aligned}$$

$$\begin{aligned} dtfkmnt &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqnt &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner:

$$\begin{aligned} \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \omega_{K3} + 5/3 \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \omega_{L3} + 5/3 \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.4000	-
δ	0.2212	0.047728
κ	0.9839	0.079441
ρ_K	0.2182	0.197520
ρ_L	0.7154	0.160587
γ_{K1}	0.2367	0.057194
γ_{K2}	0.3614	0.074987
γ_{L1}	0.3365	0.093004
γ_{L2}	-0.2890	0.082800

Trend-parametre

ω_{K1}	-3.3487	0.889031
ω_{K3}	3.9591	6.23587
ω_{K5}	-0.9181	3.74743
ω_{L1}	-0.1767	0.675933
ω_{L3}	0.3399	5.35995
ω_{L5}	-1.7526	3.48674

$$\log(\text{likelihood}) = 106.595$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nk-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmnk) \\ &= \gamma K1 \cdot \text{Dlog}(fKmnkw) + \gamma K2 \cdot (\log(fKmnkw_{-1}) - \log(fKmnk_{-1})) \\ &+ \rho L \cdot (\text{Dlog}(fKmnk_{-1}) - \gamma K1 \cdot \text{Dlog}(fKmnkw_{-1}) - \gamma K2 \cdot (\log(fKmnkw_{-2}) - \log(fKmnk_{-2}))) \end{aligned}$$

$$RSS = 0.0175 \quad s = 0.0231 \quad \bar{y} = -0.4551 \quad R^2 = 0.9985 \quad DW = 2.0554$$

$$\begin{aligned} & \log(HQnk) \\ &= \gamma L1 \cdot (\log(HQnkn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQnkn_{-1}) - \log(Hgnl_{-1})) - \gamma L2 \cdot (\log(HQnkn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho L \cdot (\log(HQnkn_{-1}) - (\gamma L1 \cdot (\log(HQnkn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQnkn_{-2}) - \log(Hgnl_{-2})) - \gamma L2 \cdot (\log(HQnkn_{-3}) - \log(Hgnl_{-3}))) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.0250 \quad s = 0.0275 \quad \bar{y} = 0.0941 \quad R^2 = 0.8027 \quad DW = 1.2994$$

Hvor :

$$\begin{aligned} & fKmnkw \\ &= (1/dt fkmnk) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnk/7178.99)/\kappa \\ &\quad \cdot (((lnk1 \cdot 80.66438)/(uimnk \cdot 5966.93)) \cdot (dt fkmnk/dthqnk))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &\quad **(\sigma/(1-\sigma)) \cdot 5966.93 \end{aligned}$$

$$\begin{aligned} & HQnkn \\ &= (1/dthqnk) \cdot ((1/(1-\delta)) \cdot (fYfnk/7178.99)/\kappa) \\ &\quad **(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fkmnk \cdot fKmnk/5966.93)^{**}(-(1/\sigma-1))) \\ &\quad **(-(1/(1/\sigma-1))) \cdot 80.66438 \end{aligned}$$

$$\begin{aligned} & dt fkmnk \\ &= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**2} + \omega K3 \cdot \text{time}^{**3} + \omega K4 \cdot \text{time}^{**4} + \omega K5 \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & dthqnk \\ &= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**2} + \omega L3 \cdot \text{time}^{**3} + \omega L4 \cdot \text{time}^{**4} + \omega L5 \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & \text{time} \\ &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega K5 &= 0 \\ \omega K2 &= 0, \quad \omega K4 = 1/2 \quad \omega K3 + 5/3 \quad \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \quad \omega L3 + 5/3 \quad \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.6751	0.248809
δ	0.3191	0.030465
κ	1.0339	0.027635
ρK	0.6893	0.134101
ρL	0.6313	0.126711
$\gamma K1$	0.2037	0.069075
$\gamma K2$	0.5423	0.107287
$\gamma L1$	0.4565	0.066731
$\gamma L2$	-0.1890	0.064723

Trend-parametre

$\omega K1$	-1.4518	1.53434
$\omega K3$	1.4083	1.72295
$\omega L1$	0.2782	0.64641
$\omega L3$	5.9665	2.11587
$\omega L5$	1.6236	1.14733

$$\log(\text{likelihood}) = 155.257$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., nq-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmnq) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmnqw) + \gamma_{K2} \cdot (\log(fKmnqw_{-1}) - \log(fKmnq_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmnq_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmnqw_{-1}) - \gamma_{K2} \cdot (\log(fKmnqw_{-2}) - \log(fKmnq_{-2}))) \end{aligned}$$

$$RSS = 0.0115 \quad s = 0.0187 \quad \bar{y} = -0.1261 \quad R^2 = 0.9964 \quad DW = 2.0024$$

$$\begin{aligned} & \log(HQnq) \\ &= \gamma_{L1} \cdot (\log(HQnqn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnqn_{-1}) - \log(Hgnl_{-1})) - \gamma_{L2} \cdot (\log(HQnqn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho_L \cdot (\log(HQnq_{-1}) - (\gamma_{L1} \cdot (\log(HQnqn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQnqn_{-2}) - \log(Hgnl_{-2})) - \gamma_{L2} \cdot (\log(HQnqn_{-3}) - \log(Hgnl_{-3}))) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.0102 \quad s = 0.0176 \quad \bar{y} = 0.2671 \quad R^2 = 0.9954 \quad DW = 1.3771$$

Hvor :

$$\begin{aligned} & fKmnqw \\ &= (1/dt fkmnq) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfnq/13468.14)/\kappa \\ &\cdot ((\ln q_1 \cdot 192.40)/(uimnq \cdot 7191.76) \cdot (dt fkmnq/dthqnq))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 7191.76 \end{aligned}$$

$$\begin{aligned} & HQnqn \\ &= (1/dthqnq) \cdot ((1/(1-\delta)) \cdot ((fYfnq/13468.14)/\kappa) \\ &\cdot ((-1/(\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fkmnq \cdot fKmnqk/7191.76))^{**}(-(1/(\sigma-1))) \\ &\cdot ((-1/(1/(\sigma-1))) \cdot 192.40) \end{aligned}$$

$$\begin{aligned} & dt fkmnq \\ &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & dthqnq \\ &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} & \text{time} \\ &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega_{K5} &= 0 \\ \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \quad \omega_{K3} + 5/3 \quad \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \quad \omega_{L3} + 5/3 \quad \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.4701	0.203044
δ	0.2306	0.057396
κ	0.8832	0.021669
ρ_K	0.7444	0.112759
ρ_L	0.6742	0.141809
γ_{K1}	0.2559	0.066205
γ_{K2}	0.4206	0.102238
γ_{L1}	0.5734	0.056101
γ_{L2}	-0.1979	0.054993

Trend-parametre

ω_{K1}	-2.1589	1.06561
ω_{K3}	4.3315	2.41940
ω_{L1}	-0.8667	0.276396
ω_{L3}	12.6053	1.66254
ω_{L5}	6.4800	1.01409

$$\log(\text{likelihood}) = 171.941$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., b-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} \text{Dlog}(fKmb) &= \gamma K1 \cdot \text{Dlog}(fKmbw) + \gamma K2 \cdot (\log(fKmbw_{-1}) - \log(fKmb_{-1})) \\ &+ \rho K \cdot (\text{Dlog}(fKmb_{-1}) - \gamma K1 \cdot \text{Dlog}(fKmbw_{-1}) - \gamma K2 \cdot (\log(fKmbw_{-2}) - \log(fKmb_{-2}))) \end{aligned}$$

$$RSS = 0.0271 \quad s = 0.0286 \quad \bar{y} = -0.3882 \quad R^2 = 0.9976 \quad DW = 1.5731$$

$$\begin{aligned} \log(HQb) &= \gamma L1 \cdot (\log(HQbn) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQbn_{-1}) - \log(Hgn1_{-1})) - \gamma L2 \cdot (\log(HQbn_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho L \cdot (\log(HQb_{-1}) - (\gamma L1 \cdot (\log(HQbn_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma L1 + \gamma L2) \cdot (\log(HQbn_{-2}) - \log(Hgn1_{-2})) - \gamma L2 \cdot (\log(HQbn_{-3}) - \log(Hgn1_{-3}))) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0565 \quad s = 0.0414 \quad \bar{y} = 0.0614 \quad R^2 = 0.9395 \quad DW = 1.5166$$

Hvor:

$$\begin{aligned} fKmbw &= (1/dt fKmb) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfb/24382.52)/\kappa \\ &\cdot (((lb1 \cdot 312.06)/(uimb \cdot 11749.71) \cdot (dt fKmb/dthqb))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 11749.71 \end{aligned}$$

$$\begin{aligned} HQbn &= (1/dthqb) \cdot ((1/(1-\delta)) \cdot ((fYfb/24382.52)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fKmb \cdot fKmbk/11749.71)^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 312.06 \end{aligned}$$

$$\begin{aligned} dt fKmb &= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**2} + \omega K3 \cdot \text{time}^{**3} + \omega K4 \cdot \text{time}^{**4} + \omega K5 \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqb &= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**2} + \omega L3 \cdot \text{time}^{**3} + \omega L4 \cdot \text{time}^{**4} + \omega L5 \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner :

$$\begin{aligned} \omega K5 &= 0, \quad \omega L5 = 0 \\ \omega K2 &= 0, \quad \omega K4 = 1/2 \quad \omega K3 + 5/3 \quad \omega K5 \\ \omega L2 &= 0, \quad \omega L4 = 1/2 \quad \omega L3 + 5/3 \quad \omega L5 \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.3772	0.287042
δ	0.2993	0.141212
κ	0.9726	0.055137
ρK	0.5674	0.146660
ρL	0.7873	0.104989
$\gamma K1$	0.3663	0.079637
$\gamma K2$	0.4548	0.100853
$\gamma L1$	0.6818	0.090538
$\gamma L2$	-0.1078	0.079916

Trend-parametre

$\omega K1$	-1.0643	0.652218
$\omega K3$	-0.9302	0.984342
$\omega L1$	0.0744	0.315173
$\omega L3$	0.8395	0.827651

$$\log(\text{likelihood}) = 138.575$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., qh-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmqh) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmqhw) + \gamma_{K2} \cdot (\log(fKmqhw_{-1}) - \log(fKmqh_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmqh_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmqhw_{-1}) - \gamma_{K2} \cdot (\log(fKmqhw_{-2}) - \log(fKmqh_{-2}))) \end{aligned}$$

$$RSS = 0.0152 \quad s = 0.0215 \quad \bar{y} = -0.4725 \quad R^2 = 0.9989 \quad DW = 1.7664$$

$$\begin{aligned} & \log(HQqhn) \\ &= \gamma_{L1} \cdot (\log(HQqhn) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqhn_{-1}) - \log(Hgn1_{-1})) - \gamma_{L2} \cdot (\log(HQqhn_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho_L \cdot (\log(HQqhn_{-1}) - (\gamma_{L1} \cdot (\log(HQqhn_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqhn_{-2}) - \log(Hgn1_{-2})) - \gamma_{L2} \cdot (\log(HQqhn_{-3}) - \log(Hgn1_{-3}))) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0213 \quad s = 0.0254 \quad \bar{y} = 0.1385 \quad R^2 = 0.9728 \quad DW = 1.3394$$

Hvor :

$$\begin{aligned} fKmqhw &= (1/dt fkmqh) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfqh/41227.64)/\kappa \\ &\cdot ((lqh1 \cdot 485.04)/(uimqh \cdot 12718.50) \cdot (dt fkmqh/dthqgh))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1) \\ &^{**}(\sigma/(1-\sigma)) \cdot 12718.50 \end{aligned}$$

$$\begin{aligned} HQqhn &= (1/dthqgh) \cdot ((1/(1-\delta)) \cdot ((fYfqh/41227.64)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fkmqh \cdot fKmqhk/12718.50)^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 485.04 \end{aligned}$$

$$\begin{aligned} dt fkmqh &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqgh &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner:

$$\begin{aligned} \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \omega_{K3} + 5/3 \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \omega_{L3} + 5/3 \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.2000	-
δ	0.5739	0.052969
κ	1.2175	0.028278
ρ_K	0.4695	0.264802
ρ_L	0.5201	0.140354
γ_{K1}	0.5142	0.090672
γ_{K2}	0.6773	0.208170
γ_{L1}	0.5193	0.091280
γ_{L2}	-0.1575	0.092394

Trend-parametre

ω_{K1}	-0.5133	0.250692
ω_{K3}	0.1803	1.83739
ω_{K5}	1.2752	1.12050
ω_{L1}	0.9941	0.191765
ω_{L3}	1.2427	1.39520
ω_{L5}	0.1566	0.848063

$$\log(\text{likelihood}) = 155.183$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., qs-erhvervet

36 observationer fra 1955 til 1990

$\text{Dlog}(fKmq_s)$
 $= 0.20 \cdot \text{Dlog}(fKmq_{sw}) + 0.20 \cdot \text{Dlog}((fKmq_{sw}_{-1}) + 0.20 \cdot \text{Dlog}(fKmq_{sw}_{-2})$
 $+ 0.20 \cdot \text{Dlog}(fKmq_{sw}_{-3}) + 0.20 \cdot \text{Dlog}(fKmq_{sw}_{-4})$
 RSS = 0.7736 s = 0.1466 $\bar{y} = -0.3605$ $R^2 = 0.8490$ DW = 0.4731

$\text{Dlog}(HQq_s)$
 $= 0.65 \cdot (\text{Dlog}(HQq_{sw}) - \text{Dlog}(Hgn1)) + \text{Dlog}(Hgn1)$
 $+ 0.20 \cdot (\text{Dlog}(HQq_{sw}_{-1}) - \text{Dlog}(Hgn1_{-1}))$
 $+ 0.15 \cdot (\text{Dlog}(HQq_{sw}_{-2}) - \text{Dlog}(Hgn1_{-2}))$
 RSS = 0.9325 s = 0.1609 $\bar{y} = 0.2058$ $R^2 = 0.6328$ DW = 0.4692

Hvor :

$fKmq_{sw}$
 $= (1/dt fkmqs) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot ((fXqs/13193.62)/\kappa)$
 $\cdot (((lqs1 \cdot 27.11911)/(uimqs \cdot 17778.52)) \cdot (dt fkmqs/dthqqs))$
 $** (1-\sigma) \cdot ((1-\delta)/\delta)^{**\sigma+1} ** (\sigma/(1-\sigma)) \cdot 17778.52$
 HQq_{sw}
 $= (1/dthqqs) \cdot (1-\delta)^{**}(\sigma/(1-\sigma)) \cdot ((fXqs/13193.62)/\kappa)$
 $\cdot (((uimqs \cdot 17778.52)/(lqs1 \cdot 27.11911))$
 $\cdot (dthqqs/dt fkmqs))^{**} (1-\sigma) \cdot (\delta/(1-\delta))^{**\sigma+1}$
 $** (\sigma/(1-\sigma)) \cdot 27.11911$
 $dt fkmqs$
 $= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**2} + \omega K3 \cdot \text{time}^{**3} + \omega K4 \cdot \text{time}^{**4} + \omega K5 \cdot \text{time}^{**5})$
 $dthqqs$
 $= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**2} + \omega L3 \cdot \text{time}^{**3} + \omega L4 \cdot \text{time}^{**4} + \omega L5 \cdot \text{time}^{**5})$
 time
 $= (tid-1990)/32$

Pålagte restriktioner :

$\omega K5 = 0, \omega L5 = 0$
 $\omega K2 = 0, \omega K4 = 1/2 \omega K3 + 5/3 \omega K5$
 $\omega L2 = 0, \omega L4 = 1/2 \omega L3 + 5/3 \omega L5$

Parameter	Estimat	Spredning
σ	0.4000	-
δ	0.5961	0.022275
κ	1.9744	0.135725

Trend-parametre

$\omega K1$	2.1135	0.253094
$\omega K3$	-4.6083	0.436968
$\omega L1$	2.9915	0.294687
$\omega L3$	-3.1257	0.506721

log(likelihood) = 58.3086

Efterspørgslen efter arbejdskraft og maskinkapital mv., qt-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmqtw) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmqtw) + \gamma_{K2} \cdot (\log(fKmqtw_{-1}) - \log(fKmqtw_{-2})) \\ &+ \rho_L \cdot (\text{Dlog}(fKmqtw_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmqtw_{-1}) - \gamma_{K2} \cdot (\log(fKmqtw_{-2}) - \log(fKmqtw_{-3}))) \end{aligned}$$

$$RSS = 0.0180 \quad s = 0.0233 \quad \bar{y} = -0.3545 \quad R^2 = 0.9985 \quad DW = 1.5453$$

$$\begin{aligned} & \log(HQqtn) \\ &= \gamma_{L1} \cdot (\log(HQqtn) - \log(Hgnl)) + \log(Hgnl) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqtn_{-1}) - \log(Hgnl_{-1})) - \gamma_{L2} \cdot (\log(HQqtn_{-2}) - \log(Hgnl_{-2})) \\ &+ \rho_L \cdot (\log(HQqtn_{-1}) - (\gamma_{L1} \cdot (\log(HQqtn_{-1}) - \log(Hgnl_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqtn_{-2}) - \log(Hgnl_{-2})) - \gamma_{L2} \cdot (\log(HQqtn_{-3}) - \log(Hgnl_{-3}))) \\ &+ \log(Hgnl_{-1})) \end{aligned}$$

$$RSS = 0.0291 \quad s = 0.0297 \quad \bar{y} = 0.0405 \quad R^2 = 0.7136 \quad DW = 1.3533$$

Hvor :

$$\begin{aligned} fKmqtw &= (1/dtfkmt) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfqt/21490.72)/\kappa \\ &\cdot (((lqt1 \cdot 252.00)/(uimqt \cdot 18770.80)) \cdot (dtfkmt/dthqqt))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1 \\ &^{**}(\sigma/(1-\sigma)) \cdot 18770.80 \end{aligned}$$

$$\begin{aligned} HQqtn &= (1/dthqtq) \cdot ((1/(1-\delta)) \cdot ((fYfqt/21490.72)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dtfkmt \cdot fKmqtk/18770.80))^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 252.00 \end{aligned}$$

$$\begin{aligned} dtfkmt &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqqt &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (tid - 1990)/32 \end{aligned}$$

Pålagte restriktioner:

$$\omega_{K2} = 0, \omega_{K4} = 1/2 \omega_{K3} + 5/3 \omega_{K5}$$

$$\omega_{L2} = 0, \omega_{L4} = 1/2 \omega_{L3} + 5/3 \omega_{L5}$$

Parameter	Estimat	Spredning
σ	0.4618	0.276112
δ	0.4792	0.196775
κ	0.9750	0.056852
ρ_K	0.3545	0.222491
ρ_L	0.6422	0.140804
γ_{K1}	0.1665	0.095301
γ_{K2}	0.3856	0.125380
γ_{L1}	0.3991	0.081338
γ_{L2}	-0.2240	0.078936

Trend-parametre

ω_{K1}	-2.9874	2.38116
ω_{K3}	16.3575	16.0655
ω_{K5}	10.3454	9.40902
ω_{L1}	1.8994	0.872236
ω_{L3}	-12.4895	5.75919
ω_{L5}	-8.3202	3.35515

$$\log(\text{likelihood}) = 147.925$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., qf-erhvervet

36 observationer fra 1955 til 1990

$$\begin{aligned} & \text{Dlog}(fKmqf) \\ &= 0.20 \cdot \text{Dlog}(fKmqfw) + 0.20 \cdot \text{Dlog}(fKmqfw_{-1}) + 0.20 \cdot \text{Dlog}(fKmqfw_{-2}) \\ &+ 0.20 \cdot \text{Dlog}(fKmqfw_{-3}) + 0.20 \cdot \text{Dlog}(fKmqfw_{-4}) \\ \text{RSS} &= 0.3932 \quad s = 0.1045 \quad \bar{y} = -0.7648 \quad R^2 = 0.9915 \quad \text{DW} = 0.5074 \end{aligned}$$

$$\begin{aligned} & \text{Dlog}(HQqf) \\ &= 0.65 \cdot (\text{Dlog}(HQqfw) - \text{Dlog}(Hgn1)) + \text{Dlog}(Hgn1) \\ &+ 0.20 \cdot (\text{Dlog}(HQqfw_{-1}) - \text{Dlog}(Hgn1_{-1})) \\ &+ 0.15 \cdot (\text{Dlog}(HQqfw_{-2}) - \text{Dlog}(Hgn1_{-2})) \\ \text{RSS} &= 0.4517 \quad s = 0.1120 \quad \bar{y} = -0.2614 \quad R^2 = 0.8780 \quad \text{DW} = 0.4095 \end{aligned}$$

Hvor :

$$fKmqfw = (fXqf/14448.88)/\kappa/dtfkmqf \cdot 2727.60$$

$$HQqfw = (fXqf/14448.88)/\delta/dthqqf \cdot 139.70$$

$$dtfkmqf$$

$$= \exp(\omega K1 \cdot \text{time} + \omega K2 \cdot \text{time}^{**2} + \omega K3 \cdot \text{time}^{**3} + \omega K4 \cdot \text{time}^{**4} + \omega K5 \cdot \text{time}^{**5})$$

$$dthqqf$$

$$= \exp(\omega L1 \cdot \text{time} + \omega L2 \cdot \text{time}^{**2} + \omega L3 \cdot \text{time}^{**3} + \omega L4 \cdot \text{time}^{**4} + \omega L5 \cdot \text{time}^{**5})$$

$$\text{time}$$

$$=(tid-1990)/32$$

Pålagte restriktioner :

$$\omega K5 = 0, \omega L5 = 0$$

$$\omega K2 = 0, \omega K4 = 1/2 \omega K3 + 5/3 \omega K5$$

$$\omega L2 = 0, \omega L4 = 1/2 \omega L3 + 5/3 \omega L5$$

Parameter	Estimat	Spredning
δ	1.0500	0.054875
κ	0.4473	0.021807

Trend-parametre

$\omega K3$	1.3641	0.303195
$\omega K1$	-2.8903	0.175852
$\omega L3$	1.6983	0.324964
$\omega L1$	-0.5234	0.188478

$$\log(\text{likelihood}) = 75.0538$$

Efterspørgslen efter arbejdskraft og maskinkapital mv., qq-erhvervet

33 observationer fra 1958 til 1990

$$\begin{aligned} & \text{Dlog}(fKmqq) \\ &= \gamma_{K1} \cdot \text{Dlog}(fKmqqw) + \gamma_{K2} \cdot (\log(fKmqqw_{-1}) - \log(fKmqq_{-1})) \\ &+ \rho_K \cdot (\text{Dlog}(fKmqq_{-1}) - \gamma_{K1} \cdot \text{Dlog}(fKmqqw_{-1}) - \gamma_{K2} \cdot (\log(fKmqqw_{-2}) - \log(fKmqq_{-2}))) \end{aligned}$$

$$RSS = 0.0456 \quad s = 0.0372 \quad \bar{y} = -0.3535 \quad R^2 = 0.9970 \quad DW = 1.2897$$

$$\begin{aligned} & \log(HQqq) \\ &= \gamma_{L1} \cdot (\log(HQqqn) - \log(Hgn1)) + \log(Hgn1) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqqn_{-1}) - \log(Hgn1_{-1})) - \gamma_{L2} \cdot (\log(HQqqn_{-2}) - \log(Hgn1_{-2})) \\ &+ \rho_L \cdot (\log(HQqq_{-1}) - (\gamma_{L1} \cdot (\log(HQqqn_{-1}) - \log(Hgn1_{-1}))) \\ &+ (1 - \gamma_{L1} + \gamma_{L2}) \cdot (\log(HQqqn_{-2}) - \log(Hgn1_{-2})) - \gamma_{L2} \cdot (\log(HQqqn_{-3}) - \log(Hgn1_{-3}))) \\ &+ \log(Hgn1_{-1})) \end{aligned}$$

$$RSS = 0.0143 \quad s = 0.0208 \quad \bar{y} = 0.0145 \quad R^2 = 0.8746 \quad DW = 1.6164$$

Hvor :

$$\begin{aligned} fKmqqw &= (1/dt fKmqq) \cdot \delta^{**}(\sigma/(1-\sigma)) \cdot (fYfq/36428.48)/\kappa \\ &\cdot ((lqq1 \cdot 505.66)/(uimqq \cdot 18259.66) \cdot (dt fKmqq/dthqqq))^{**}(1-\sigma) \cdot ((1-\delta)/\delta)^{**}\sigma+1 \\ &^{**}(\sigma/(1-\sigma)) \cdot 18259.66 \end{aligned}$$

$$\begin{aligned} HQqqn &= (1/dthqqq) \cdot ((1/(1-\delta)) \cdot ((fYfq/36428.48)/\kappa) \\ &^{**}(-(1/\sigma-1)) - (\delta/(1-\delta)) \cdot (dt fKmqq \cdot fKmqk/18259.66)^{**}(-(1/\sigma-1))) \\ &^{**}(-(1/(1/\sigma-1))) \cdot 505.66 \end{aligned}$$

$$\begin{aligned} dt fKmqq &= \exp(\omega_{K1} \cdot \text{time} + \omega_{K2} \cdot \text{time}^{**2} + \omega_{K3} \cdot \text{time}^{**3} + \omega_{K4} \cdot \text{time}^{**4} + \omega_{K5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} dthqqq &= \exp(\omega_{L1} \cdot \text{time} + \omega_{L2} \cdot \text{time}^{**2} + \omega_{L3} \cdot \text{time}^{**3} + \omega_{L4} \cdot \text{time}^{**4} + \omega_{L5} \cdot \text{time}^{**5}) \end{aligned}$$

$$\begin{aligned} \text{time} &= (\text{tid} - 1990)/32 \end{aligned}$$

Pålagte restriktioner:

$$\begin{aligned} \omega_{K5} &= 0 \\ \omega_{K2} &= 0, \quad \omega_{K4} = 1/2 \quad \omega_{K3} + 5/3 \quad \omega_{K5} \\ \omega_{L2} &= 0, \quad \omega_{L4} = 1/2 \quad \omega_{L3} + 5/3 \quad \omega_{L5} \end{aligned}$$

Parameter	Estimat	Spredning
σ	0.6000	-
δ	0.3208	0.038026
κ	0.9515	0.039161
ρ_K	0.6032	0.255402
ρ_L	0.7988	0.104065
γ_{K1}	0.3396	0.147071
γ_{K2}	0.5508	0.249841
γ_{L1}	0.4843	0.131465
γ_{L2}	-0.2136	0.132754

Trend-parametre

ω_{K1}	-3.2736	0.648929
ω_{K3}	3.2327	1.40059
ω_{L1}	0.8599	0.259517
ω_{L3}	0.1070	1.90018
ω_{L5}	0.3126	1.27623

$$\log(\text{likelihood}) = 148.269$$

Parameter	Estimat	Spredning						
β_1	1.3833	0.15242						
β_2	-0.1917	0.07621						
RSS	0.0929	\underline{s}	0.0635	\bar{y}	0.0410	\bar{e}	-0.0021	
R^2	0.8060	\underline{R}^2	0.7898	F	1, 23	81.6317	%RMSE	137.464
DW	1.3185							

fVenf : Energi-forbrug i nf-erhvervet

Ikke-lineær LS-estimation med restriktioner:
Koefficienten til $Dlog(fYfnf)$ er bundet til -0.7

41 observationer fra 1950 til 1990

$Dlog(fVenf/fYfnf)$

$$= \beta_1 + \beta_2 \cdot Dlog(pvenf/pyfnf) - 0.70 \cdot Dlog(fYfnf) + \beta_4 \cdot D(fros) - \beta_5 \cdot (\log(fVenf_{-1}/fYfnf_{-1}) - \beta_6 \cdot \log(pvenf_{-1}/pyfnf_{-1}) - \beta_4 \cdot fros_{-1} + \log(dtfvenf) + 0.6712)$$

$dtfvenf$

$$= \exp(-\beta_7 \cdot (tid-1947)) / \exp(-\beta_7 \cdot (1990-1947))$$

Parameter	Estimat	Spredning				
β_1	-0.6253	0.21080				
β_2	-0.0795	0.06055				
β_4	0.0011	0.00044				
β_5	0.3403	0.10926				
β_6	-0.0972	0.09473				
β_7	-0.0156	0.00233				
RSS	0.0988	s	0.0531	\bar{Y}	-0.0130	
R ²	0.7263	R ²	0.6872	F	5, 35	18.5765
DW	2.2246					

fVenn : Energiforbrug i nn-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$Dlog(fVenn/fYfnn)$

$$= \beta_1 + \beta_2 \cdot Dlog(pvenn/pyfnn) + \beta_3 \cdot Dlog(fYfnn) - \beta_5 \cdot (\log(fVenn_{-1}/fYfnn_{-1}) - \beta_6 \cdot \log(pvenn_{-1}/pyfnn_{-1}) + \log(dtfvenn) + 0.4040)$$

$dtfvenn$

$$= \exp(-\beta_7 \cdot (tid-1947) - \beta_8 \cdot ((tid-1947)**2) - \beta_9 \cdot dummy1_{-1} - \beta_9/\beta_5 \cdot dummy2) / \exp(-\beta_7 \cdot (1990-1947) - \beta_8 \cdot ((1990-1947)**2) - \beta_9 \cdot dummy1_{-1} - \beta_9/\beta_5 \cdot dummy2)$$

dummy1 = 1 fra og med 1973 til og med 1990.

dummy2 = 1 i 1973.

Parameter	Estimat	Spredning				
β_1	-1.7715	0.35359				
β_2	-0.1223	0.09744				
β_3	-0.4704	0.28326				
β_5	0.8406	0.16259				
β_6	-0.2596	0.07280				
β_7	-0.0350	0.00857				
β_8	0.0010	0.00018				
β_9	-0.8090	0.09739				
RSS	0.3211	$\frac{s}{R^2}$	0.0986	\bar{Y}	-0.0004	
R ²	0.7202	R ²	0.6608	F	7, 33	12.1328
DW	2.1319					

fVenb : Energi-forbrug i nb-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(f\text{Venb}/fYf\text{nb}) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(p\text{venb}/pyf\text{nb}) + \beta_3 \cdot \text{Dlog}(fYf\text{nb}) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(f\text{Venb}_{-1}/fYf\text{nb}_{-1}) - \beta_6 \cdot \log(p\text{venb}_{-1}/pyf\text{nb}_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt\text{fvenb})) \end{aligned}$$

dtfvenb

= 1

Parameter	Estimat	Spredning			
β_1	-0.5099	0.13134			
β_2	-0.0761	0.06408			
β_3	-0.5599	0.15549			
β_4	0.0011	0.00045			
β_5	0.3037	0.07670			
β_6	-0.3522	0.10252			
RSS	0.1105	$\frac{s}{R^2}$	0.0562	\bar{Y}	0.0053
R^2	0.4997		0.4282	F 5, 35	6.9903
DW	2.0831				

fVenm : Energiforbrug i nm-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(f\text{Venm}/fYf\text{nm}) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(p\text{venm}/pyf\text{nm}) + \beta_3 \cdot \text{Dlog}(fYf\text{nm}) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(f\text{Venm}_{-1}/fYf\text{nm}_{-1}) - \beta_6 \cdot \log(p\text{venm}_{-1}/pyf\text{nm}_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt\text{fvenm}) + 0.5307) \end{aligned}$$

dtfvenm

$$= \exp(-\beta_8 \cdot ((tid-1947)**2)) / \exp(-\beta_8 \cdot ((1990-1947)**2))$$

Parameter	Estimat	Spredning			
β_1	-1.8314	0.38106			
β_2	-0.1539	0.06045			
β_3	-0.5588	0.13665			
β_4	0.0017	0.00042			
β_5	0.6344	0.12867			
β_6	-0.1837	0.04719			
β_8	-0.0003	0.00003			
RSS	0.0755	$\frac{s}{R^2}$	0.0471	\bar{Y}	-0.0079
R^2	0.7002		0.6473	F 6, 34	13.2348
DW	1.7586				

fVent : Energi-forbrug i nt-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

Dlog(fVent/fYfnt)

= $\beta_1 + \beta_2 \cdot \text{Dlog}(pvent/pyfnt) + \beta_3 \cdot \text{Dlog}(fYfnt) + \beta_4 \cdot D(fros)$ - $\beta_5 \cdot (\log(fVent_{-1}/fYfnt_{-1}) - \beta_2 \cdot \log(pvent_{-1}/pyfnt_{-1}) - \beta_4 \cdot fros_{-1} + \log(dtfvent) - 0.2036)$

dtfvent

= $\exp(-\beta_7 \cdot (tid - 1947)) / \exp(-\beta_7 \cdot (1990 - 1947))$

Parameter	Estimat	Spredning
-----------	---------	-----------

β_1	-2.9055	0.63023
-----------	---------	---------

β_2	-0.2177	0.06226
-----------	---------	---------

β_3	-0.2932	0.12873
-----------	---------	---------

β_4	0.0027	0.00072
-----------	--------	---------

β_5	0.7759	0.16285
-----------	--------	---------

β_7	0.0047	0.00160
-----------	--------	---------

RSS	0.2092	$\frac{s}{R^2}$	0.0773	\bar{Y}	0.0102
-----	--------	-----------------	--------	-----------	--------

R^2	0.7419		0.7050	F	5, 35
-------	--------	--	--------	---	-------

DW	2.2874				20.1232
----	--------	--	--	--	---------

fVenk : Energiforbrug i nk-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

Dlog(fVenk/fYfnt)

= $\beta_1 + \beta_2 \cdot \text{Dlog}(pvenk/pyfnt) + \beta_3 \cdot \text{Dlog}(fYfnt) + \beta_4 \cdot D(fros)$ - $\beta_5 \cdot (\log(fVenk_{-1}/fYfnt_{-1}) - \beta_6 \cdot \log(pvenk_{-1}/pyfnt_{-1})$ - $\beta_4 \cdot fros_{-1} + \log(dtfvenk) + 0.8117)$

dtfvenk

= $\exp(-\beta_8 \cdot ((tid - 1947)**2) - \beta_9 \cdot \text{dummy1}_{-1} - \beta_9/\beta_5 \cdot \text{dummy3} + \beta_9/\beta_5 \cdot \text{dummy2}) /$ $\exp(-\beta_8 \cdot ((1990 - 1947)**2) - \beta_9 \cdot \text{dummy1}_{-1} - \beta_9/\beta_5 \cdot \text{dummy3} + \beta_9/\beta_5 \cdot \text{dummy2})$

dummy1 = 1 fra og med 1973 til og med 1977.

dummy2 = 1 i 1973.

dummy3 = 1 i 1978.

(Se evt. Arbejdspapir af 24. januar, 1995, s.24).

Parameter	Estimat	Spredning
-----------	---------	-----------

β_1	-1.3689	0.27845
-----------	---------	---------

β_2	-0.0690	0.08512
-----------	---------	---------

β_3	-0.3650	0.20866
-----------	---------	---------

β_4	0.0003	0.00066
-----------	--------	---------

β_5	0.7182	0.14566
-----------	--------	---------

β_6	-0.3069	0.06274
-----------	---------	---------

β_8	-0.0004	0.00004
-----------	---------	---------

β_9	0.3274	0.04649
-----------	--------	---------

RSS	0.1832	$\frac{s}{R^2}$	0.0745	\bar{Y}	-0.0171
-----	--------	-----------------	--------	-----------	---------

R^2	0.6638		0.5925	F	7, 33
-------	--------	--	--------	---	-------

DW	1.8992				9.3083
----	--------	--	--	--	--------

fVenq : Energi-forbrug i nq-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVenq/fYfnq) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pvenq/pyfnq) + \beta_3 \cdot \text{Dlog}(fYfnq) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVenq_{-1}/fYfnq_{-1}) - \beta_6 \cdot \log(pvenq_{-1}/pyfnq_{-1}) \\ &- \beta_4 \cdot fros_{-1} + \log(dtfvenq) + 0.2126) \end{aligned}$$

$$\begin{aligned} & dtfvenq \\ &= \exp(-\beta_8 \cdot ((tid-1947)**2)) / \exp(-\beta_8 \cdot ((1990-1947)**2)) \end{aligned}$$

Parameter	Estimat	Spredning				
β_1	-2.0523	0.35602				
β_2	-0.1417	0.05456				
β_3	-0.7834	0.15160				
β_4	0.0007	0.00040				
β_5	0.6943	0.11805				
β_6	-0.1870	0.03707				
β_8	-0.0001	0.00002				
RSS	0.0715	\underline{s}	0.0459	\overline{Y}	0.0009	
R^2	0.6694	R^2	0.6110	F	6, 34	11.4720
DW	1.7302					

fVeb : Energiforbrug i b-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVeb/fYfb) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pveb/pyfb) + \beta_3 \cdot \text{Dlog}(fYfb) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVeb_{-1}/fYfb_{-1}) - \beta_6 \cdot \log(pveb_{-1}/pyfb_{-1}) - \beta_4 \cdot fros_{-1} + \log(dtfveb)) \end{aligned}$$

$$\begin{aligned} & dtfveb \\ &= 1 \end{aligned}$$

Parameter	Estimat	Spredning				
β_1	-0.6633	0.28292				
β_2	-0.0812	0.09691				
β_3	-0.6006	0.17109				
β_4	0.0006	0.00058				
β_5	0.1829	0.07638				
β_6	-0.1319	0.17649				
RSS	0.1945	\underline{s}	0.0745	\overline{Y}	0.0111	
R^2	0.3487	R^2	0.2557	F	5, 35	3.7485
DW	2.0623					

fVeqh : Energi-forbrug i qh-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVeqh/fYfqh) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pveqh/pyfqh) + \beta_3 \cdot \text{Dlog}(fYfqh) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVeqh_{-1}/fYfqh_{-1}) - \beta_2 \cdot \log(pveqh_{-1}/pyfqh_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt fveqh) + 0.5637) \end{aligned}$$

$$\begin{aligned} & dt fveqh \\ &= \exp(-\beta_7 \cdot (tid-1947)) / \exp(-\beta_7 \cdot (1990-1947)) \end{aligned}$$

Parameter	Estimat	Spredning			
β_1	-1.3666	0.43107			
β_2	-0.2360	0.05964			
β_3	-0.4706	0.25296			
β_4	0.0016	0.00053			
β_5	0.4519	0.13928			
β_7	-0.0131	0.00213			
RSS	0.1356	\underline{s}	0.0622	\bar{y}	-0.0071
R^2	0.5587	R^2	0.4957	F	5, 35 8.8638
DW	1.7588				

fVeqt : Energiforbrug i qt-erhvervet

Ikke-lineær LS-estimation med restriktioner:

Koefficienten til $\text{Dlog}(fYfqt)$ er bundet til -0.65.

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVeqt/fYfqt) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pveqt/pyfqt) - 0.65 \cdot \text{Dlog}(fYfqt) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVeqt_{-1}/fYfqt_{-1}) - \beta_6 \cdot \log(pveqt_{-1}/pyfqt_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt fveqt) - 0.0632) \end{aligned}$$

$$\begin{aligned} & dt fveqt \\ &= \exp(-\beta_7 \cdot (tid-1947) - \beta_8 \cdot ((tid-1947)**2) - \beta_9 \cdot \text{dummy1} + \beta_9/\beta_5 \cdot \text{dummy2}) \\ &/ \exp(-\beta_7 \cdot (1990-1947) - \beta_8 \cdot ((1990-1947)**2) - \beta_9 \cdot \text{dummy1} + \beta_9/\beta_5 \cdot \text{dummy2}) \end{aligned}$$

dummy1 : Tidstrend der starter som 1 i 1985 og slutter som 6 i 1990.
 dummy2 = 1 fra og med 1985 til og med 1990.

Parameter	Estimat	Spredning			
β_1	-1.6558	0.28867			
β_2	-0.1957	0.05337			
β_4	0.0008	0.00040			
β_5	0.7436	0.12792			
β_6	-0.2095	0.06017			
β_7	-0.0263	0.00991			
β_8	0.0010	0.00021			
β_9	-0.1086	0.01922			
RSS	0.0683	\underline{s}	0.0455	\bar{y}	0.0111
R^2	0.6685	R^2	0.5982	F	7, 33 9.5069
DW	2.2367				

fVeqf : Energi-forbrug i qf-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVeqf/fYfqf) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pveqf/pyfqf) + \beta_3 \cdot \text{Dlog}(fYfqf) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVeqf_{-1}/fYfqf_{-1}) - \beta_2 \cdot \log(pveqf_{-1}/pyfqf_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt fveqf) - 0.5461) \end{aligned}$$

$$\begin{aligned} & dt fveqf \\ &= \exp(-\beta_7 \cdot (tid-1947) - \beta_8 \cdot ((tid-1947)**2)) / \exp(-\beta_7 \cdot (1990-1947) - \beta_8 \cdot ((1990-1947)**2)) \end{aligned}$$

Parameter	Estimat	Spredning			
β_1	-1.2662	0.47377			
β_2	-0.4288	0.11419			
β_3	-0.7302	0.18777			
β_4	0.0015	0.00089			
β_5	0.3269	0.11861			
β_7	-0.0500	0.02055			
β_8	0.0015	0.00047			
RSS	0.3816	$\frac{s}{R^2}$	0.1059	\bar{Y}	0.0135
R^2	0.6152		0.5473	F 6, 34	9.0612
DW	2.2401				

fVeqq : Energiforbrug i qq-erhvervet

Ikke-lineær LS-estimation med restriktioner:

Koefficienten til $\text{Dlog}(fYfqq)$ er bundet til -0.5

41 observationer fra 1950 til 1990

$$\begin{aligned} & \text{Dlog}(fVeqq/fYfqq) \\ &= \beta_1 + \beta_2 \cdot \text{Dlog}(pveqq/pyfqq) - 0.5000 \cdot \text{Dlog}(fYfqq) + \beta_4 \cdot D(fros) \\ &- \beta_5 \cdot (\log(fVeqq_{-1}/fYfqq_{-1}) - \beta_2 \cdot \log(pveqq_{-1}/pyfqq_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt fveqq) + 0.5637) \end{aligned}$$

$$\begin{aligned} & dt fveqq \\ &= \exp(-\beta_7 \cdot (tid-1947)) / \exp(-\beta_7 \cdot (1990-1947)) \end{aligned}$$

Parameter	Estimat	Spredning			
β_1	-1.4571	0.57331			
β_2	-0.3878	0.06650			
β_4	0.0016	0.00077			
β_5	0.4618	0.18660			
β_7	-0.0130	0.00272			
RSS	0.2413	$\frac{s}{R^2}$	0.0819	\bar{Y}	-0.0001
R^2	0.6436		0.6040	F 4, 36	16.2520
DW	1.8757				

fVeo : Energi-forbrug i o-erhvervet

Ikke-lineær LS-estimation

41 observationer fra 1950 til 1990

 $\text{Dlog}(fVeo/fYfo)$ $= \beta_1 + \beta_2 \cdot \text{Dlog}(pveo/pyfo) + \beta_4 \cdot \text{D}(fros)$ $- \beta_5 \cdot (\log(fVeo_{-1}/fYfo_{-1}) - \beta_2 \cdot \log(pveo_{-1}/pyfo_{-1}) - \beta_4 \cdot fros_{-1} + \log(dt fveo))$ $dt fveo$ $= 1$

Parameter	Estimat	Spredning
-----------	---------	-----------

β_1	-2.0024	0.59737
-----------	---------	---------

β_2	-0.1809	0.05229
-----------	---------	---------

β_4	0.0025	0.00072
-----------	--------	---------

β_5	0.5502	0.16478
-----------	--------	---------

RSS	0.2841	\underline{s}	0.0876	\bar{y}	-0.0085
-----	--------	-----------------	--------	-----------	---------

R^2	0.4833	R^2	0.4414	F	3, 37 11.5378
-------	--------	-------	--------	---	---------------

DW	1.9778
----	--------

Ua : Samlet arbejdsstyrke

OLS-estimation med restriktioner:

Koefficienten til 1. led er bundet til 1.

Den logistiske trend er estimeret på forhånd.

21 observationer fra 1970 til 1990

 $\text{D}((Ua+Upe)/(U1564-Uu))$

$$= 1.00000 \cdot 0.5 \cdot \text{D}(0.3432/(1+\exp(-0.20616 \cdot (tid-1976.91))))$$

$$(\quad \cdot \quad)$$

$$+ 0.2829 \cdot \text{D}(Q/(U1564-Uu))$$

$$(0.0657)$$

RSS	0.0002	\underline{s}	0.0028	\bar{y}	0.0061	\bar{e}	-0.0006
-----	--------	-----------------	--------	-----------	--------	-----------	---------

R^2	0.6971	R^2	0.6859	F	1, 20 38.8712	%RMSE	644.107
-------	--------	-------	--------	---	---------------	-------	---------

DW	1.2083	LM_1	0.4039
----	--------	--------	--------

Hgn1 : Gennemsnitlig arbejdstid i industrien

OLS-estimation med restriktioner:

Koefficienten til 2. led er bundet til 1

43 observationer fra 1948 til 1990

 $\log(Hgn1)$

$$= 0.0708 \cdot \text{Dlog}(fXn) + 1.00000 \cdot \log(hnna) - 0.0387 \cdot d73$$

$$(0.0314) \quad (\quad \cdot \quad) \quad (0.0109)$$

$$- 0.0174 \cdot d85$$

$$(0.0110)$$

hnna: Estimat for normalarbejdstid, jf. modelgruppepapir LAE 30. maj 1995.

RSS	0.0047	\underline{s}	0.0104	\bar{y}	7.5374
-----	--------	-----------------	--------	-----------	--------

R^2	0.9929	R^2	0.9925	F	3, 40 1854.72
-------	--------	-------	--------	---	---------------

DW	0.5890	LM_1
----	--------	--------

pxne : Prisen på produktionsværdi af el, gas og fjernvarme

OLS-estimation

30 observationer fra 1961 til 1990

 $D(\text{Dlog}(pxne))$

$$= 0.6219 \cdot D(\text{Dlog}(pwnewv))$$

(0.0823)

$$- 0.5221 \cdot \text{Dlog}(pxne_{-1}) - \text{Dlog}(pwnew_{-1})$$

(0.1309)

RSS	0.0972	\underline{s}	0.0589	\bar{y}	0.0010	\bar{e}	0.0014
R ²	0.7565	R ²	0.7478				
DW	2.6985	LM ₁	5.3704				

pxnf : Prisen på produktionsværdi af næringsmiddelindustri

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

 $\text{Dlog}(pxnf)$

$$= 0.9710 \cdot \text{Dlog}(pwnfnv) - 0.20000 \cdot \log(pxnf_{-1}) - \log(pwnfw_{-1})$$

(0.0237) (•)

$$+ 0.0042$$

(0.0018)

RSS	0.0015	\underline{s}	0.0074	\bar{y}	0.0533
R ²	0.9842	R ²	0.9836	F 1, 28	1741.66
DW	2.3842	LM ₁	1.3744		

pxnn : Prisen på produktionsværdi af nydelsesmiddelindustri

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

 $\text{Dlog}(pxnn)$

$$= 0.6226 \cdot \text{Dlog}(pwnnnv) - 0.20000 \cdot \log(pxnn_{-1}) - \log(pwnnw_{-1})$$

(0.0963) (•)

$$+ 0.0205$$

(0.0065)

RSS	0.0118	\underline{s}	0.0205	\bar{y}	0.0537
R ²	0.7259	R ²	0.7162	F 1, 28	74.1695
DW	1.0372	LM ₁	6.1160		

pxnb : Prisen på produktionsværdi af leverandører til byggeri

OLS-estimation

30 observationer fra 1961 til 1990

Dlog(pxnb)

$$= 0.8159 \cdot \text{Dlog}(pwnbnv) - 0.2099 \cdot \log(pxnb_{-1}) - \log(pwnbw_{-1})$$

(0.0758) (0.1193)

$$+ 0.0134$$

(0.0058)

RSS	0.0058	\underline{s}	0.0146	\bar{y}	0.0640
R ²	0.9012	R ²	0.8939	F	2, 27 123.168
DW	2.0475	LM ₁	0.0345		

pxnm : Prisen på produktionsværdi af jern- og metalindustri

OLS-estimation

30 observationer fra 1961 til 1990

Dlog(pxnm)

$$= 0.6578 \cdot \text{Dlog}(pwnmnv)$$

(0.0835)

$$+ 0.1879 \cdot \text{Dlog}(0.32 \cdot (pm6m + tm6m) + 0.60 \cdot (pm7q + tm7q) + 0.08 \cdot (pm8 + tm8))$$

(0.0889)

$$- 0.3799 \cdot \log(pxnm_{-1}) - \log(pwnmw_{-1}) + 0.0072$$

(0.1158) (0.0034)

RSS	0.0029	\underline{s}	0.0106	\bar{y}	0.0553
R ²	0.9347	R ²	0.9272	F	3, 26 124.154
DW	1.8362	LM ₁	0.2292		

pxnt : Prisen på produktionsværdi af transportmiddelindustri

OLS-estimation

30 observationer fra 1961 til 1990

Dlog(pxnt)

$$= 0.5551 \cdot \text{Dlog}(pwntnv) - 0.4654 \cdot \log(pxnt_{-1}) - \log(pwntw_{-1})$$

(0.1317) (0.1425)

$$+ 0.0257$$

(0.0092)

RSS	0.0184	\underline{s}	0.0261	\bar{y}	0.0614
R ²	0.6483	R ²	0.6222	F	2, 27 24.8820
DW	1.4532	LM ₁	4.3680		

pxnk : Prisen på produktionsværdi af kemisk industri

OLS-estimation med restriktioner: Koefficienten til 3. led er bundet til -0.2

30 observationer fra 1961 til 1990

Dlog(pxnk)

$$= 0.6873 \cdot \text{Dlog}(pwnknv) \\ (0.1807)$$

$$+ 0.1971 \cdot \text{Dlog}(0.75 \cdot (pm5+tm5)+0.08 \cdot (pm6q+tm6q)+0.17 \cdot (pm8+tm8)) \\ (0.1487)$$

$$- 0.20000 \cdot \log(pxnk_{-1}) - \log(pwnkw_{-1}) + 0.0079 \\ (\quad \bullet \quad) \quad (0.0047)$$

RSS	0.0084	\underline{s}	0.0177	\bar{y}	0.0510
R ²	0.9271	R ²	0.9217	F	2, 27 171.764
DW	1.2351	LM ₁	3.3788		

pxnq : Prisen på produktionsværdi af anden fremstillingsvirksomhed

OLS-estimation

30 observationer fra 1961 til 1990

Dlog(pxnq)

$$= 0.5623 \cdot \text{Dlog}(pwnqnv) \\ (0.1094)$$

$$+ 0.1453 \cdot \text{Dlog}(0.60 \cdot (pm6q+tm6q)+0.40 \cdot (pm8+tm8)) \\ (0.0807)$$

$$- 0.3288 \cdot \log(pxnq_{-1}) - \log(pwnqw_{-1}) + 0.0196 \\ (0.1165) \quad (0.0051)$$

RSS	0.0021	\underline{s}	0.0089	\bar{y}	0.0608
R ²	0.9326	R ²	0.9248	F	3, 26 119.864
DW	1.6038	LM ₁	0.5256		

pxb : Prisen på produktionsværdi af bygge- og anlægsvirksomhed

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

Dlog(pxb)

$$= 0.9954 \cdot \text{Dlog}(pwbnv) - 0.20000 \cdot \log(pxb_{-1}) - \log(pwbw_{-1}) \\ (0.0838) \quad (\quad \bullet \quad)$$

$$- 0.0014 \\ (0.0067)$$

RSS	0.0056	\underline{s}	0.0141	\bar{y}	0.0703
R ²	0.8240	R ²	0.8177	F	1, 28 131.094
DW	1.6012	LM ₁	1.1575		

pxqh : Prisen på produktionsværdi af handel

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

$Dlog(pxqh)$

$$= 0.5010 \cdot Dlog(pwqhnv) - 0.20000 \cdot \log(pxqh_{-1}) - \log(pwqhw_{-1})$$

(0.1339) (•)

$$+ 0.0274$$

(0.0102)

RSS	0.0270	\underline{s}	0.0311	\bar{y}	0.0612
R ²	0.2978	R ²	0.2728	F	1, 28 11.8767
DW	1.5117	LM ₁	1.4234		

pxqt : Prisen på produktionsværdi af anden transport

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

$Dlog(pxqt)$

$$= 0.5635 \cdot Dlog(pwqtnv) - 0.20000 \cdot \log(pxqt_{-1}) - \log(pwqtw_{-1})$$

(0.0781) (•)

$$+ 0.0464$$

(0.0066)

RSS	0.0124	\underline{s}	0.0210	\bar{y}	0.0736
R ²	0.7137	R ²	0.7035	F	1, 28 69.7938
DW	1.7465	LM ₁	0.0367		

pxqf : Prisen på produktionsværdi af finansiel virksomhed

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

$D(Dlog(pxqf))$

$$= 0.2477 \cdot D(Dlog(pwqfwv))$$

(0.0637)

$$- 0.20000 \cdot Dlog(pxqf_{-1}) - Dlog(pwqfw_{-1})$$

(•)

RSS	0.0122	\underline{s}	0.0204	\bar{y}	0.0005	\bar{e}	-0.0024
R ²	0.2514	R ²	0.2514				
DW	2.0713	LM ₁	0.1960				

pxqq : Prisen på produktionsværdi af andre tjenesteydende erhverv

OLS-estimation med restriktioner: Koefficienten til 2. led er bundet til -0.2

30 observationer fra 1961 til 1990

Dlog(pxqq)

$$= 0.6418 \cdot \text{Dlog}(pwqqnv) - 0.20000 \cdot \log(pxqq_{-1}) - \log(pwqqw_{-1})$$

(0.0702) (•)

$$+ 0.0329$$

(0.0059)

RSS	0.0035	\underline{s}	0.0112	\bar{y}	0.0811
R ²	0.7998	R ²	0.7926	F	1, 28 111.835
DW	1.6157	LM ₁	0.3951		

lna : Gennemsnitlig timeløn for arbejdere i industrien

OLS-estimation med restriktioner: Summen af koefficienterne til 2. og 3. led er bundet til 0

41 observationer fra 1950 til 1990

Dlog(lna)

$$= 0.4621 \cdot 0.5 \cdot (\log(pxn) - \log(pxn_{-2}))$$

(0.1128)

$$+ 0.1295 \cdot 0.5 \cdot (\log(pcp/pxn) - \log(pcp_{-2}/pxn_{-2}))$$

(0.1233)

$$- 0.1295 \cdot 0.5 \cdot (\log(1-tss0u) - \log(1-tss0u_{-2}))$$

(0.1233)

$$+ 0.1103 \cdot (\log(kqyfn1) - \log(kqyfn1_{-1}))$$

(0.0922)

$$- 0.1822 \cdot (\log(lnak_{-2}) - \log(pyfn_{-2}) - \log(kqyfn1_{-2}))$$

(0.0841)

$$- 0.8313 \cdot bul_{-1}$$

(0.1056)

$$+ 0.1280 \cdot btyd_{-1} - 0.0310$$

(0.0335) (0.0293)

RSS	0.0071	\underline{s}	0.0145	\bar{y}	0.0892
R ²	0.8763	R ²	0.8544	F	6, 34 40.1279
DW	1.8756	LM ₁	0.138		

Ys : Skattepligtig personlig indkomst

OLS-estimation

30 observationer fra 1961 til 1990

D(Ys)-D(Skug)

$$\begin{aligned}
&= 0.9095 \cdot D(Yat3) + 0.7897 \cdot D(0.5 \cdot Yrr2 + 0.5 \cdot Yrr2_{-1}) \\
&\quad (0.0342) \quad (0.1731) \\
&+ 0.8246 \cdot D(0.9 \cdot Tippp + 0.1 \cdot Tippp_{-1}) - 3919.6 \cdot d8990 \\
&\quad (0.1666) \quad (907.80) \\
&+ 3352.8 \cdot d75 \\
&\quad (1161.0)
\end{aligned}$$

RSS	3E+07	\underline{s}	1127.38	\bar{y}	15364.7	\bar{e}	19.3182
R ²	0.9860	R ²	0.9842	F 5, 25	352.328	%RMSE	9.4896
DW	1.5105	LM ₁	2.639				

Sdsbk : Selskabsskat for pengeinstitutterne

OLS-estimation

20 observationer fra 1971 til 1990

Sdsbk

$$\begin{aligned}
&= 0.8707 \cdot tsds \cdot (Yrqf_{-1} + Tibn_{-1} + Yfqi_{-1} - ((Ipv4bk_{-1} + Ipv4bk_{-2}) / 2)) \\
&\quad (0.1077) \\
&+ 0.9206 \cdot tsds \cdot (1 - dsdsk) \cdot Wbbzk_{-2} \cdot ((kwpbu_{-1} - kwpbu_{-2}) / kwpbu_{-2}) \cdot 0.6 \\
&\quad (0.0575) \\
&+ 2204.0 \cdot d88 \\
&\quad (511.54)
\end{aligned}$$

RSS	7645866	\underline{s}	649.505	\bar{y}	1625.92	\bar{e}	153.997	R ²
R ²	0.9402	R ²	0.9332					
DW	1.1100	LM ₁	3.967					

Sdsr : Selskabsskat for øvrige erhverv

OLS-estimation

20 observationer fra 1971 til 1990

Sdsr

$$\begin{aligned}
&= 0.3829 \cdot tsds \cdot (Yrsl_{-1} + Tipps_{-1} - (Ipv4_{-1} - Ipv4bk_{-1} + Ipv4_{-2} - Ipv4bk_{-2}) / 2) \\
&\quad (0.0122) \\
&+ 3751.7 \cdot d8593 \\
&\quad (685.37)
\end{aligned}$$

RSS	2E+07	\underline{s}	1062.80	\bar{y}	6442.43	\bar{e}	348.080
R ²	0.9636	R ²	0.9619				
DW	0.9045	LM ₁	4.3929				

***Sigej* : Ejendomsskatter**

OLS-estimation

9 observationer fra 1982 til 1990

Sigej

$$= 0.5435 \cdot phv \cdot Kh_2 \cdot tgej$$

(0.0108)

RSS	1518982	\underline{s}	435.597	\bar{y}	7089.07	\bar{e}	-10.668
R^2	0.9424	R^2	0.9424				
DW	1.8936	LM_1	0.0000				

Relationer estimeret på kvartalsdata

I det følgende refererer variabelnavnene til kvartalsserier med samme navn som i ADAMs databank. Visse variabler kan dog ikke genfindes som årsvariabler i ADAMs databank. Det drejer sig om kvartalsdummyerne *DUM1*, *DUM2* og *DUM3*, om *d72* som er 0 op til og med 1984.3 og 1 herefter samt om dummyen *d77* som er 0 op til og med 1985.4 og 1 herefter. Variablen *TID* er en lineær trend, som er 1 i 1967.1, hvorefter $TID_t = TID_{t-1} + 1$. Desuden er nogle variabler defineret som et fordelt lag af en grundlæggende variabel:

Hvis $\mathbf{a(L)}$ betegner lag-polynomiet $\mathbf{a(L)} = 0.4 + 0.3 \cdot L + 0.2 \cdot L^2 + 0.1 \cdot L^3$, er $iwde_t = \mathbf{a(L)}iwde_t$, dvs. $iwde_t = 0.4 \cdot iwde_t + 0.3 \cdot iwde_{t-1} + 0.2 \cdot iwde_{t-2} + 0.1 \cdot iwde_{t-3}$. Tilsvarende er $iwlol_t = \mathbf{a(L)}iwlol_t$, $iwdmez_t = \mathbf{a(L)}(iwdm_t + (ewdme_t/ewdm_t)^4 - 1)$, $Ytr_t = \mathbf{a(L)}Ytr_t$.

Flere af ligningerne er estimeret som et system, hvor der er pålagt en række restriktioner. Estimationsmetoder og restriktioner er gennemgået grundigt andetsteds.⁴

Wpm : Private ikke-finansielle sektors efterspørgsel efter penge

43 observationer fra 1975.2 til 1985.4

$Wpm/(pytr \cdot 1000)$

$$\begin{aligned}
 &= 101.686 + (505.128 + 255.31 \cdot d72) \cdot iwde - 494.498 \cdot iwlol \\
 &\quad (10.592) \qquad \qquad \qquad (56.839) \\
 &- 10.630 \cdot iwdmez - 255.31 \cdot d72 \cdot iwdmez + 0.3553 \cdot (Wwe/(pytr \cdot 1000)) \\
 &\quad (16.873) \qquad \qquad (44.791) \qquad \qquad (0.0043) \\
 &+ 0.0296 \cdot (Ytr/(pytr \cdot 1000)) - 1 \cdot (Vkihw/(pytr \cdot 1000)) \\
 &\quad (0.0228) \\
 &- 1 \cdot (Wpbnz/(pytr \cdot 1000)) - 4.5763 \cdot DUM1 + 0.1875 \cdot DUM2 - 3.6142 \cdot DUM3 \\
 &\quad \qquad \qquad (0.9534) \qquad \qquad (0.9374) \qquad \qquad (0.9267)
 \end{aligned}$$

$s = 2.08 \qquad DW = 1.42 \qquad R^2 = 0.99$

Wpcz : Private ikke-finansielle sektors beholdning af sedler, mønt og postgiroindskud

54 observationer fra 1975.1 til 1988.2

$Wpcz/(pytr \cdot 1000)$

$$\begin{aligned}
 &= 3.4564 + 0.0370 \cdot (Ytr/(pytr \cdot 1000)) - 0.0173 \cdot (TID - 32) \\
 &\quad (2.8437) \quad (0.0082) \qquad \qquad (0.0150) \\
 &- 1.4754 \cdot DUM1 - 0.2085 \cdot DUM2 - 1.5332 \cdot DUM3 \\
 &\quad (0.3956) \qquad (0.3953) \qquad (0.3948)
 \end{aligned}$$

$s = 1.0444 \qquad DW = 1.47 \qquad R^2 = 0.57$

⁴Arbejdsnotat nr. 26, 1989.

Wpbnz : Private ikke-finansielle sektors nettoobligationsbeholdning

54 observationer fra 1975.1 til 1988.2

$$Wpbnz/(pytr \cdot 1000) =$$

$$- \frac{20.766}{(2.386)} + \frac{121.206 \cdot (iwbz - iwde)}{(17.175)} + \frac{0.4443 \cdot (Wpge/(pytr \cdot 1000))}{(0.0505)}$$

$$+ \frac{0.8600 \cdot (Wpbnz_{-1} - 0.4443 \cdot Wpge_{-1})}{(0.0324)} / (pytr \cdot 1000)$$

$$+ \frac{5.9554 \cdot DUM1}{(0.8576)} + \frac{1.5235 \cdot DUM2}{(0.7982)} + \frac{3.1495 \cdot DUM3}{(0.8375)}$$

$$s = 2.2457 \quad DW = 2.06 \quad R^2 = 0.99$$

Wzbr : Private ikke-finansielle sektors obligationsgæld

54 observationer fra 1975.1 til 1988.2

$$Wzbr/(pytr \cdot 1000) =$$

$$- \left[\frac{-5.8281}{(8.1378)} + \frac{140.781 \cdot (iwbz - iwde)}{(15.734)} + \frac{(0.2716 \cdot Wpge)}{(0.0541)} \right.$$

$$\left. - \frac{0.0239 \cdot Ytr}{(0.0271)} - \frac{0.9635 \cdot Vkihw}{(0.1156)} - 0.85 \cdot (Wzbr_{-1} \right.$$

$$\left. - \frac{0.9635 \cdot Vkihw_{-1} + 0.2716 \cdot Wpge_{-1}}{(pytr \cdot 1000)} \right]$$

$$+ \frac{2.5072 \cdot DUM1}{(0.9064)} - \frac{0.6373 \cdot DUM2}{(0.8095)} + \frac{0.3887 \cdot DUM3}{(0.8526)}$$

$$s = 2.0710 \quad DW = 1.24 \quad R^2 = 0.99$$

Wblp : Pengeinstitutternes udlån til private ikke-finansielle sektor

43 observationer fra 1975.2 til 1985.4

$$Wblp/(pytr \cdot 1000)$$

$$= \frac{95.951}{(10.317)} + \frac{494.498 \cdot iwde1}{(56.839)} - \frac{497.541 \cdot iwlo1}{(56.839)}$$

$$+ \frac{3.0426 \cdot iwdmez1}{(16.903)} + \frac{(-0.2109 \cdot Wwe)}{(0.0148)}$$

$$+ \frac{0.0296 \cdot Ytrl}{(0.0228)} + \frac{0.3987 \cdot Vkipw}{(pytr \cdot 1000)}$$

$$- \frac{1.7955 \cdot DUM1}{(0.8977)} + \frac{1.7862 \cdot DUM2}{(0.8506)} - \frac{0.8975 \cdot DUM3}{(0.8975)}$$

$$s = 1.90 \quad DW = 1.60 \quad R^2 = 0.93$$

Wflp : Udlandets lån til den private ikke-finansielle sektor

43 observationer fra 1975.2 til 1985.4

$Wflp/(pytr \cdot 1000)$

$= 5.735 + (10.6298 + 255.31 \cdot d72) \cdot iwdel + 3.0426 \cdot iwlol$

$- (13.67242 + 255.31 \cdot d72) \cdot iwdmez1$

$+ (-0.4338 \cdot Wwe + 0.6013 \cdot Vkipw)/(pytr \cdot 1000)$

$- 2.7807 \cdot DUM1 + 1.5988 \cdot DUM2 + 2.7172 \cdot DUM3$

s = 2.03 (Relationen er beregnet ud fra relationerne for Wpm og Wblp)

Wbcz : Pengeinstitutternes beholdning af sedler, mønt og postgiroindskud

58 observationer fra 1974.1 til 1988.2

$Wbcz/(pytr \cdot 1000)$

$= 1.7526 + 0.0061 \cdot (Wpdb+Wldb)/(pytr \cdot 1000)$
 (0.1935) (0.0015)

$- 0.0272 \cdot (TID-32) - 0.3254 \cdot DUM1 + 0.1458 \cdot DUM2 + 0.3643 \cdot DUM3$
 (0.0033) (0.0763) (0.0758) (0.0779)

s = 0.2038 DW = 0.79 R² = 0.73

Wbbz : Pengeinstitutternes obligationsbeholdning

54 observationer fra 1975.1 til 1988.2

$Wbbz/(pytr \cdot 1000)$

$= (-22.104 + 574.671 \cdot (iwbz-iwnz+4 \cdot (iwbz-iwbze)))$
 (11.739) (208.263)

$+ (0.8794 \cdot Wlik - 0.7186 \cdot (Wblp+Wbll))/(pytr \cdot 1000)$
 (0.0916) (0.1574)

$+ 0.9003 \cdot DUM1 + 5.3314 \cdot DUM2 + 9.0884 \cdot DUM3$
 (4.95747) (5.73404) (6.0140)

s = 12.73 DW = 1.44 R² = 0.72

(Relationen er beregnet ud fra relationerne for Wpbnz og iwbz)

Wfbz : Udlandets beholdning af danske krone-obligationer

OLS-estimation med restriktioner :

Den årlige vækstrate i $\ln a/\ln a_t$ indgår som et glidende gennemsnit med ens vægte, der summer til 1

33 kvartalsvise observationer fra 1984.1 til 1992.1

$(Wfbz/pytr - Wfbz_{-1}/pytr_{-1})/dtwfbz$

$$= \underset{(1.4243)}{7.3212} \cdot (iwbz_{-1} - iwbdm_{-1}) + \underset{(0.8243)}{2.2989} \cdot Enly_{-2}$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a/\ln a_t) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-1}/\ln a_{t-1}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-2}/\ln a_{t-2}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-3}/\ln a_{t-3}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-4}/\ln a_{t-4}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-5}/\ln a_{t-5}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-6}/\ln a_{t-6}) / 8$$

$$- \underset{(1.0785)}{4.4945} \cdot 4 \cdot Dlog(\ln a_{-7}/\ln a_{t-7}) / 8$$

$$- \underset{(0.0484)}{0.1602} + \underset{(0.0359)}{0.1276} \cdot DUM1 + \underset{(0.0353)}{0.0275} \cdot DUM2 + \underset{(0.0352)}{0.0016} \cdot DUM3$$

RSS	0.1357	$\frac{s}{\bar{y}}$	0.0722	\bar{y}		0.0723
R ²	0.5999	R ²	0.5075	F	6, 26	6.4967
DW	2.5745	LM ₁	3.0068			

iwbz : Den effektive obligationsrente.

54 observationer fra 1975.1 til 1988.2

 $iwbz/(pytr \cdot 1000)$ = $(Wzbg + Wzbl - Wobz - Wabz - Wlbz - Wnbz - Wibz$ $- Wfbz - Wgbz - Wrbz - Wsbz - Whbz)/(pytr \cdot 1000)$ + $\frac{22.1040}{(11.7388)} - \frac{0.9003 \cdot DUM1}{(0.9575)} - \frac{5.3314 \cdot DUM2}{(5.7340)} - \frac{9.0884 \cdot DUM3}{(6.0140)}$ + $\frac{574.671 \cdot (4 \cdot iwbze + iwnz)}{(208.263)} + \frac{(-0.8794 \cdot Wlik)}{(0.0916)}$ + $\frac{0.718607 \cdot (Wb1p + Wb1l)}{(0.1574)} + \frac{20.766}{(2.386)} - \frac{5.9554 \cdot DUM1}{(0.8576)}$ - $\frac{1.5235 \cdot DUM2}{(0.7982)} - \frac{3.1495 \cdot DUM3}{(0.8375)} + \frac{121.206 \cdot iwde}{(17.175)}$ - $\frac{0.4443 \cdot Wpge}{(0.0505)} - \frac{0.8600 \cdot (Wpbz_{-1})}{(0.0324)}$ - $\frac{0.4444 \cdot Wpge_{-1}}{(pytr \cdot 1000 \cdot (574.671 \cdot 5 + 121.206))}$ s = 0.0049 DW = 1.43 R² = 0.98**iwde : Pengeinstitutternes effektive indskudsrente.**

52 observationer fra 1975.3 til 1988.2

 $iwde$ = $\frac{0.0004}{(0.0046)} + \frac{0.1392 \cdot iwde_{-1}}{(0.0495)} + \frac{0.2578 \cdot dwrad \cdot iwbz}{(0.0625)}$ + $\frac{0.6863 \cdot dwrad \cdot iwdi}{(0.0584)} + \frac{0.4085 \cdot (1 - dwrad) \cdot iwlo}{(0.0474)}$ + $\frac{0.0895 \cdot (1 - dwrad) \cdot iwmm}{(0.0192)} - \frac{0.0338 \cdot dwrad}{(0.0099)}$ s = 0.0024 DW = 1.61 R² = 0.98**iwlo : Pengeinstitutternes effektive udlånsrente**

52 observationer fra 1975.3 til 1988.2

 $iwlo$ = $\frac{0.0584}{(0.0065)} + \frac{0.1916 \cdot iwlo_{-1}}{(0.0579)} + \frac{0.1529 \cdot (1 - dwral) \cdot iwbz}{(0.0609)}$ + $\frac{0.8543 \cdot dwral \cdot iwdi}{(0.0594)} + \frac{0.5215 \cdot (1 - dwral - d77) \cdot iwdi}{(0.1146)}$ + $\frac{0.0733 \cdot (1 - dwral) \cdot iwmm}{(0.0263)} + \frac{0.3289 \cdot d77 \cdot iwmm}{(0.0796)}$ - $\frac{0.0064 \cdot drml}{(0.0014)}$ s = 0.0038 DW = 1.86 R² = 0.98